# LOTOS NT User Manual 

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Release 2.6-February 21, 2008


## Foreword

The present User Manual of Lotos NT comes with the release 2.6 of the compiler Traian. It completely describes the syntax and the informal semantics of the sub-set of Lotos NT currently supported by Traian.

Status This is a partial implementation; it does not fully implement the behaviour and module parts of Lotos NT. The " "" symbol is used to mark the features of Lotos NT which are not yet supported by Traian.

Availability The complete distribution for TraiAN is available on the web at the address http://www.inrialpes.fr/vasy/traian. Please report feedback and bugs to traian@inrialpes.fr.

Acknowledgments The author thanks people who helped in writing this manual, either through their ideas or their comments about the different versions of this manual. I owe thanks to Frédéric Lang, and also to Fabrice Baray, Claude Chaudet, Hubert Garavel, Marc Herbert, Radu Mateescu, and Bruno Vivien.

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## Chapter 1

## Introduction

> "Formal description techniques (FDT) are methods of defining the behaviour of an (information processing) system in a language with formal syntax and semantics, instead of a natural language as English."
> ISO-8807

In the following section the origin and the evolution of FDTs is discussed, especially Lotos. The objectives that the new generation of FDTs must satisfy are considered. The main concepts of E-Lotos are presented. Finally the structure of the document is explained.

### 1.1 Background

The origins of FDTs are the activity of international organizations as Iso and CcitT around the open architecture Osi. Due to their complexity, the description of services and protocols of the communication systems composing the OSI architecture needed best methods than natural language and state machines. For this reason Iso and Ccitt developed in the 80's three formal description techniques: Estelle, Lotos, and Sdl.
Lotos was developed by FDT experts from Iso during the years 1981-1988. The objectives of its design follow strictly the main general objectives defined for FDTs:

- expressive: Lotos is able to define both protocol and service descriptions of the seven layers of Osi.
- well-defined: Lotos has a formal mathematical model suitable for the analysis of descriptions supported by the testing of an implementation for conformance.
- well-structured: Lotos offers many means for structuring of specification.
- abstract: Lotos is independent from the methods of implementations and offers means for abstraction of irrelevant details.

As a design choice, Lotos consists of two "orthogonal" sub-languages:

The data part of Lotos is dedicated to the description of data structures. It is based on the well-known theory of algebraic abstract data types [Gut77], more specifically on the ActOne specification language [dMRV92].

The control part of Lotos is based on the process algebra approach for concurrency, and appears to combine the best features of Ccs [Mil89] and Csp [Hoa85].

Lotos has been applied to describe complex systems formally, for example: the service and protocols for the Osi transport and session layers [ISO89b, ISO89a, ISO92b, ISO92c], the Ccr ${ }^{1}$ service and protocol [ISO95b, ISO95a], Osi Tp ${ }^{2}$ [ISO92a, Annex H], MAA ${ }^{3}$ [Mun91], FTAm ${ }^{4}$ basic file protocol [LL95], etc. It has been mostly used to describe software systems, although there are recent attempts to use it for asynchronous hardware descriptions [CGM $\left.{ }^{+} 96\right]$.
A number of tools have been developed for Lotos, covering user needs in the areas of simulation, compilation, test generation, and formal verification.
Nevertheless, the three FDTs, including Lotos, actually show their limitation for several reasons:

- Some design choices must be revised in order to respond to criticism of users. For example, the abstract data types used in Lotos and SDL do not satisfy users.
- The new communication protocols like those of high flow network (e.g., Atm) or multimedia protocols need the specification of real-time constraints. None of the three FDTs allows to express all needed quantitative temporal constraints.
- The development of new architectures like ODP ${ }^{5}$ or Corba ${ }^{6}$ call into question the Osi model and its static architecture. The model chosen is more dynamic and the mobility is important.

For these reasons Iso/IEc begun a revision of the Lotos standard in 1993 in the frame of Odp activity group. The revised language is called E-Lotos (for Extended-Lotos). The enhancements of Lotos should remove known limitations of the language concerning expressiveness, abstraction and structuring capabilities, user friendliness. A non-exhaustive list of such undesirable characteristics is given below:

- Although having a strong mathematical basis, the abstract data types need a good background from the part of users. This prevents the use of the language by a large public, restricting it to an "expert" public.
- Lotos is able to describe only temporal ordering, for example "the sending of a message is followed by its reception". However, one needs to express quantitative time requirements like "the sending of a message is followed after 5 seconds by the message reception".
- In the control part, the value passing is done in a pure functional style. Despite its proper semantics, this feature adds cumbersome constraints for structuring the specification. For this reason, a lot of case studies are done using "Basic Lotos", i.e., Lotos without values.

[^0]
### 1.2 Goals

This section lists a number of qualities which, in our opinion, the new generation of FDT languages should have.
The first of them is that E-Lotos must be a useful and pleasant tool for behaviour description and analysis, and not a set of more or less awkward constraints.
This language must be easy to learn, which implies that its constructions have a well defined, non-ambiguous semantics, and that it respects (in the limits of the semantics) most rules and habits of the users. Because programming languages are intuitive and their concepts largely used, providing the language with algorithmic features is a mean to accomplish this goal.
The language should also provide as much as possible description safety and reliability, while remaining very versatile. As many errors as possible must be detected at compile time.
The language should provide maximal expressiveness. For example, the use of Lotos in several case studies showed that the operators and the concepts of the language are not able to express self interruption of behaviour [QA92], deterministic control passing between processes [GH93], or nets of processes [Bol90]. E-Lotos should fill these gaps. Expressiveness also concerns the means for describing real-time aspects. Actually, there exists several extensions of Lotos with real-time operators: ET-Lotos [LL97], RT-Lotos [Cd95]. These extensions form a strong basis for the definition of real-time aspects of E-Lotos. As an extension of Lotos, the language should provide mean for upward compatibility: a translation of Lotos constructs in E-Lotos should be provided.
The language should allow the modular description of systems and description re-usability.
In the context of the ODP group at Iso/IEC, the language should provide means for an easy interface with external description or programming languages developed by this group, e.g., IdL. Also, it should remain independent from, but easily translatable into most implementation languages (first targets being C, Ada, Java). The accomplishment of this goal will provide a good platform for tools developers, and so a possible large distribution of the language.

The language should provide constructs offering opportunities for an optimal analysis by tools.
Last but not least, the language must be simple.

### 1.3 Main Concepts

This section presents the main concepts of E-Lotos, together with a short justification of their introduction in the language. Those justifications are related to the goal listed in the previous section.
First of all, the E-Lotos main feature is concurrency. It is a mean for description of concurrent (parallel) evolution of systems and their communication. The systems are composed in parallel using a CsP-like [Hoa78] operator. The base mechanism for communication is the rendezvous on communication points called gates. The communication allows the exchange of values. This is the only mean for interaction between concurrent systems because their memory spaces must be disjoint. The language provides several mechanisms for concurrency: interleaving, binary and n-ary synchronization, network synchronization, coroutine mechanism. This is a first step towards language expressiveness.
E-Lotos is a description language supporting non-determinism. Both internal and external [Hoa78] non-determinism is provided. By difference with Lotos, E-Lotos provides also deterministic choice
constructs by means of "if-then-else" and "case" statements. The introduction of these constructs touches both easy to use and optimal analysis requirement.
The language provides means for real-time descriptions. All operators of the language have an intuitive time semantics. The time domain may be defined by the user with respect to a proper semantics. So the time domain may be dense or discrete.
In the same frame of expressiveness, E-Lotos supports exception handling in order to deal with abnormal conditions. The exceptions are modeled by signals.
The language is strongly typed, a necessary condition for description safety. All objects in a description must be typed. Type checking is performed on any E-Lotos description in order to detect, at compile time, most inconsistencies and errors. Basic types include integers, reals, booleans, strings, etc. User defined types may be defined by using type constructors. This provides means for defining most usual types: enumeration types, records, unions, sets, lists. Types may be recursive. Also, types and functions may be specified into an external language.
E-Lotos remains a functional language in its semantics, Although it supports assignment of variables. This is a step toward user friendliness on the one hand, and interfacing with external languages, on the other hand.
Modularity is a basic feature of E-Lotos. Constants, types, functions, and processes may be defined in separate modules. The modules support the definition of local objects (constants, types, functions, and processes). The visibility of local objects is specified by means of module interfaces. Modules may be combined by importation. Another important feature for re-usability purposes is genericity. Generic modules provide means for parameterizing modules with constants, types, functions, and processes. As in Lotos, the dynamic semantics of behaviours and expressions are given only for fully instantiated modules.

### 1.4 LOTOS NT versus E-LOTOS

Lotos NT is the language supported by the Traian compiler. It follows the main concepts of E-Lotos and offers other features, in order to provide versatility, compilation and verification efficiency.
[Sig99] exposes the main differences between Lotos NT and E-Lotos. We cite only two examples:

- In Lotos NT, functions names may be overloaded as in Ada [WWF87], i.e., two or more functions may have the same name provided they have different profiles (list of parameters types and result type). This is a useful feature because it improves the semantic consistency of a Lotos NT specification - two similar operations on different types need not have different names-and the semantic consistency of Lotos NT predefined functions themselves. Also, the compatibility with ActOne is ensured.
- In Lotos NT, functions and processes may have input, output, and input/output parameters as in Ada. This provides means for returning several results and for easy interfacing with languages as IdL.
- The style of the Lotos NT language is fully imperative in syntax and semantics, unlike E-Lotos which has functional semantics.


### 1.5 Manual Structure

This manual gives an informal definition of the Lotos NT language. A formal definition may be found in [Sig99].
Chapter 2 presents the mathematical notations and concepts used. Chapter 3 presents the lexical structure of the language. The language constructs are presented bottom-up, in order to make the language easier to learn. We begin by presenting types and type declarations in chapter 4. The language of data is presented in chapter 5. It contains data expressions, statements, and function declarations. Chapter 6 presents the core of the language: behaviour expressions and process declarations. Modules are presented in chapter 7.
Each section of the chapters defining the language presents language constructs in the following order:

- the goals and the rationales of the construct;
- its abstract syntax;
- its intuitive and its formal, static, and dynamic semantics;
- some examples of its use.

In this presentation, we use the "†" symbol to mark the features of the language which are not yet supported by the Traian compiler.
Annex A presents the full syntax of the language.
We tried to present the information in a strictly linear order. However, where it is not possible to do so, we signal forward references.

## Chapter 2

## Basic mathematical concepts and notation

### 2.1 General

```
This section contains a list of basic mathematical concepts and related notations used in the remainder
of the document.
\begin{tabular}{|c|c|}
\hline \(\stackrel{\text { def }}{=}\) & is defined as. \\
\hline iff & if and only if, i.e., double implication. \\
\hline \(\{a, b, c, \ldots\}\) & the set made up of elements \(a, b, c, \ldots\). The order in which the elements are listed is immaterial. \\
\hline \(\varnothing\) & the empty set. \\
\hline \(x \in A\) & \(x\) is an element of the set \(A\). \\
\hline \(x \notin A\) & \(x\) is not an element of the set \(A\). \\
\hline \(A \subseteq B\) & \(A\) is a subset of B. \\
\hline \(A \times B\) & the Cartesian product of \(A\) with \(B\), i.e., the set of all ordered pairs \(\langle a, b\rangle\) such that \(a \in A\) and \(b \in B\). \\
\hline \(A_{1} \times A_{2} \times \ldots \times A_{n}\) & the generalized Cartesian product of \(A_{1}, A_{2}, \ldots, A_{n}\), i.e., the set of ordered tuples \(<a_{1}, a_{2}, \ldots, a_{n}>\), such that \((\forall i) a_{i} \in A_{i}\). \\
\hline \(\{x \in A \mid Q(x)\}\) & the set which contains only all those elements of \(A\) which satisfy the property \(Q\). \\
\hline \(a_{1}, \ldots, a_{n}\) & the finite (or empty) list (or sequence, or \(n\)-tuple) made up of the elements, or components \(a_{1}, \ldots, a_{n}\). Unlike sets, lists may contain more than one instance of the same element, since elements are distinguished by their position in the ordering of the list; the length of the list is \(n\); \\
\hline <> & the empty list has no elements, its length is 0 ; \\
\hline \(a_{0}, \ldots, a_{n}\) & the non-empty finite list made up of the elements \(a_{0}, \ldots, a_{n}\); the length of the list is \(n+1\); \\
\hline
\end{tabular}
```

\begin{tabular}{|c|c|}
\hline \(\bar{a}\) \& \begin{tabular}{l}
the non-empty finite list made up of the elements \(a_{0}, \ldots, a_{n}\); the length of the list is \(\operatorname{len}(\bar{a})\); \\
a record is a \(n\)-tuple of which each element is labelled with a unique label. If \(l a b\) is the label of element \(x\) of record \(y\), then \(y\).lab denotes \(x\).
\end{tabular} \\
\hline \(R \subseteq A \times B\)

$\}$ \& | $R$ is a binary relation between $A$ and $B$, i.e., a set of elements of $A \times B$; |
| :--- |
| the domain of $R$ is defined as $\{a \in A \mid \exists b \in B .<a, b>\in R\}$; the range of $R$ is defined as $\{b \in B \mid \exists a \in A .<a, b>\in R\}$; the empty relation; | <br>


\hline $f: A \rightarrow B$ \& | $f$ is a (partial) function (finite map) from $A$ to $B$, i.e., $f$ is a binary relation between $A$ and $B$ such that for each $a \in A$ there exists at most one $b \in B$ such that $<a, b>\in f$; the domain of $f$ is denoted by $\operatorname{Dom}(f)$; |
| :--- |
| the range of $f$ is denoted by $\operatorname{Ran}(f)$; |
| if $\langle a, b\rangle \in f$ then $f$ is defined for $a$, also written $f(a)=b$ or $a \mapsto b$; the function $f$ is total iff it is defined for all $a \in A$; a function $f: A \rightarrow B$ is injective iff, for all $a_{1}, a_{2}$ in the domain of $f, f\left(a_{1}\right)=f\left(a_{2}\right)$ implies that $a_{1}=a_{2}$; | <br>

\hline $f: A_{1} \times A_{2} \times \ldots \times A_{n} \rightarrow B$ \& the function from the Cartesian product $A_{1} \times A_{2} \times \ldots \times A_{n}$ to $B$; the function arity maps $f$ to the number $n$ of terms of the Cartesian product. <br>
\hline
\end{tabular}

### 2.2 Backus-Naur Form

The meta-language used in this manual to specify the syntax is based on Backus-Naum Form (BNF). A BNF description of a language $L$ is given by a set of productions, or re-write rules. The metasymbols used to compose rewrite rules are listed in Table 2.1.

| Meta-symbol | Name | Pronunciation |
| :---: | :---: | :---: |
| "xyz" | terminal symbol | xyz |
| abc | nonterminal symbol abc | (nonterminal) abc |
| $::=$ | rewrite symbol | is defined to be |
| $\mid$ | alternation symbol | or, alternatively |
| $[\ldots]$ | option operator | 0 or 1 instances of |
| $\{\ldots\}$ | repetition operator | 0 or more instances of |
| $;$ | semi-colon | end of BNF rule |

Table 2.1: Meta-language symbols
A terminal symbol is a symbol that appears literally in $L$. A nonterminal symbol is a symbol that denotes a syntactic construct of $L$ (which is ultimately represented by a string of terminal symbols).
A rewrite rule has the form:

```
<nonterminal-symbol> ::= meta-expression ;
```

where the meta-expression is an expression constructed using terminal and nonterminal symbols, and the operators listed in Table 2.1 except $::=$ and ; Adjacent terminal or/and nonterminal symbols occurring in a meta-expression denote the lexical concatenation of the texts they ultimately represent. Concatenation respects the rules given in 3 .

A rewrite rule is interpreted as follows: the nonterminal symbol of the left-hand side can be replaced by any one of the of the sequences separated by the alternation symbol.
All operators (including implicit concatenation) have precedence order over the alternative operator.

### 2.3 Description of the Syntax

Descriptions of concrete syntax give formal rules to be implemented by a parser for the language. Concrete syntax descriptions obey to constraints dictated by the implementation on a computer. For instance, in order to avoid ambiguities and to provide a simple parser, the grammar must be LALR(1).

However, the purpose of this document is to present the syntax to the user of the language. In order to be more easily readable, we can abstract out some implementation details, and provide a more informal presentation of the concrete syntax, using meta level syntactic facilities. A human will understand the description better and faster than if written in a language designed for a machine. It uses type-setting conventions which facilitate the user reading. The conventions used for the presentation of the syntax are the following:

- terminals are represented using bold face;
- the special symbols are represented using teletype font. Note the difference between the special symbols "[" and "]" and the (mathematical style) symbols "[" and "]" used to express optional syntactic clauses in BNF.
- a non-empty list is represented like " $a_{0}, \ldots, a_{n}$ ", i.e., with the indexes starting at 0 . The possibly empty lists are indexed from 1, i.e., " $a_{1}, \ldots, a_{n}$ ".
More precisely, the BNF equivqlent of " $a_{0}, \ldots, a_{n}$ " is " $a\{, a\}$ ", while the BNF equivalent of " $a_{1}, \ldots, a_{n}$ " is " $[a\{, a\}]$ ".


### 2.4 Data values

A data domain $D$ is a set of sets; the elements of $D$ are referred to as data carriers.
A special data carrier is the time data carrier. It is denoted by "time".
NOTE: The domain of a type is a data carrier.

### 2.5 Structured Labelled Transition System

A structured labelled transition system is a 5-tuple $\left\langle Q, L \cup\{\mathbf{i}\}, D, T, q_{\text {init }}\right\rangle$ where:

- $L$ is a set of labels;
- $\mathbf{i} \notin L$ is an internal event;
- $D$ is a data domain;
- $\left\langle Q, A, T, q_{i n i t}\right\rangle$ is a labelled transition system, where

$$
A \stackrel{\text { def }}{=}\{\mathbf{i}\} \cup\{G N \mid G \in L, N \in D\} \cup\{d \mid d \in \text { time }\}
$$

To emphasize the particular domain values $D$ of a structured labelled transition system, this system is also referred to as a labelled transition system over D.

## Chapter 3

## Lexical Structure

This chapter presents ${ }^{1}$ the lexical conventions of Lotos NT.
Lotos NT programs uses the ISO Latin-1 (8859.1) character set.
The characters resulting from the lexical translations are reduced to a sequence of input elements (§3.2, p. 20), which are spaces, comments (§3.3, p. 20), and tokens. The tokens are: identifiers (§3.5, p. 21), keywords (§3.7, p. 22), literals (§3.8, p. 22), and operators (§3.9, p. 25) of the Lotos NT syntactic grammar.

### 3.1 ISO Latin-1 Character Set

The ISO Latin- 1 character set is divided into:

- alphabetic characters (letters), made of ASCII ${ }^{2}$ characters (octal codes \#101-\#132) and other ISO Latin 1 characters (octal codes \#300-\#377). See Table 2 of ISO/IEC DIS 14750.

```
LETTER ::= #101..#132 ;
LETTER_WITH_ACCENT ::= #300..#377 ;
ALPHABETIC_CHARACTER ::= LETTER | LETTER_WITH_ACCENT ;
```

- digits, i.e., characters from "0" to "9". See Table 3 of ISO/IEC DIS 14750.
DIGIT : := "0".."9" ;
- spaces and formating characters, which include blanks, horizontal and vertical tabs, newlines, form feeds. See Table 5 of ISO/IEC DIS 14750.

SPACE : : = HT | NL | FF | SP | LF | CR ;
NOTE: IDL considers also BEL, BS, but not SP.

[^1]Except for comments, identifiers, and the contents of character and string literals, all input elements in a Lotos NT specification are formed only from ASCII characters (or escapes which result in ASCII characters).

### 3.2 Input Elements and Tokens

The input characters and line terminators are reduced to a sequence of input elements. Input elements which are not blank spaces or comments are tokens. Tokens are the terminal symbols of the Lotos NT syntactic grammar.

```
Input ::= [ InputElement { InputElement } ] ;
InputElement ::= SPACE | Comments | Token ;
Token ::= IDENTIFIER | Keyword | Literal | Operator | Separator ;
```

There are four classes of tokens: identifiers, keywords, literals, operators, and other separators. Blank spaces and comments are ignored except as they serve to separate tokens. Some blank space is required to separate otherwise adjacent identifiers, keywords, and literals.
If the input stream has been parsed into tokens up to a given character, the next token is taken to be the longest string of characters that could possibly constitute a token.

### 3.3 Comments

Lotos NT defines two kinds of comments:

- (* text *) A Lotos comment; all the text from the ASCII characters (* to the ASCII characters $*$ ) is ignored.
- -- text A single line comment: all the text from the ASCII characters -- to the end of the line is ignored.

Comments do not nest. The comment characters --, (*, and *) have no special meaning within a -- comment or within a ( $*$ comment. Comments may contain alphabetic, digit, graphic, and space (but not newline) characters.
Comments are not part of the Lotos NT description. They may be inserted anywhere between two other lexical units or left out, except when they play the role of separators.
Zero or more separators may occur between any two consecutive tokens, before the first token, or after the last token of the Lotos NT text.
There shall be at least one token separator between any pair of consecutive tokens if the concatenation of their texts change their meaning.

### 3.4 Includes

The library ... end library sequence allows to include files in the source code. This feature enables to write Lotos NT descriptions in separate files, so as to improve modularity.

The include mechanism works like the \#include in C language: a file can be included anywhere in the source code, and the lexical analyser is in charge of replacing the sequence by the content of the included file.

```
Include ::= Library { SPACE | Comments }
    """ Filename """ { SPACE | Comments }
    { "," { SPACE | Comments } Filename { SPACE | Comments } }
    End { SPACE | Comments } Library ;
Library ::= ("l" | "L") ("i" | "I") ("b" | "B") ("r" | "R")
    ("a" | "A") ("r" | "R") ("y" | "Y") ;
End ::= ("e" | "E") ("n" | "N") ("d" | "D") ;
```

Filename is the path to the included file. It can be either absolute or relative to the current working directory.
Several files can be included in the same library . . . end library sequence. In this case, the files will be included in the same order as they appear in the sequence.

### 3.5 Identifiers

An identifier is an unlimited-length sequence of alphabetic, digit, and underscore ("_") characters. The first character must be an alphabetic character.

```
IDENTIFIER ::= ALPHABETIC_CHARACTER { NORMAL_CHARACTER | "_" } ;
NORMAL_CHARACTER ::= DIGIT | ALPHABETIC_CHARACTER ;
```

In Lotos NT, identifiers are not case-sensitive. In a given declaration scope, two identifiers that differ only in the case of their characters are considered redefinitions of one another: they will collide and yield a compilation error. When comparing two identifiers to see if they collide:

- Upper- and lower-case letters are treated as the same letter. TBL 2 in (ISO/IEC DIS 14750) defined the equivalence mapping of upper- and lower-case letters.
- The comparison does not take into account equivalences between diagraphs and pairs of letters (e.g., "æ" and "ae" are not considered equivalent) or equivalences between accented or not accented letters (e.g., "à" and "a" are not considered equivalent).
- All characters are significant.


### 3.6 Special Identifiers

In order to allow a more intuitive notation for the different mathematical operators, a special class of identifiers is introduced. The special identifiers are built as follows:

```
SPECIAL_CHARACTER ::= "%" | "&" | "*" | "+" | "-" | "." | "/" | ">" | "="
    | "<" | "@" | "\" | "~" | "~" | "{" | "}" ;
SPECIAL_IDENTIFIER ::= SPECIAL_CHARACTER { SPECIAL_CHARACTER } ;
```


### 3.7 Keywords

The identifiers given in table 3.1 are keywords of Lotos NT. They are used for syntactic purpose and cannot be used as normal identifiers. They are written between double quotes in the concrete syntax and in boldface in the abstract syntax.

| and | andthen | any | array | as | behaviour |
| :--- | :--- | :--- | :--- | :--- | :--- |
| block | by | case | choice | do | else |
| elsif | end | enum | eqns | eval | exception |
| exceptions | exit | external | false | finite | for |
| forall | function | gate | gates | generic | hide |
| if | iff | implies | import | in | inout |
| interface | is | library | list | loop | module |
| not | null | of | ofsort | opns | or |
| orelse | out | par | process | procs | raise |
| raises | record | rename | renaming | return | set |
| signal | specification | stop | then | trap | true |
| type | types | value | var | xor | wait |
| when | while | with |  |  |  |

Table 3.1: The keywords of Lotos NT

### 3.8 Literals

A literal is the source code representation of a value of a primitive type (§ 4.3, p. 29).

```
Literal ::= INTEGER
    | FLOATING_POINT
    | CHAR
    | STRING ;
```


### 3.8.1 Integer Literals

See Section 4.3.3 for a general discussion of the integer types and values.
Integer literals may be expressed in decimal (base 10), hexadecimal (base 16), or octal (base 8):

```
INTEGER ::= DECIMAL_NUMBER
    | HEX_NUMERAL
    | OCTAL_NUMERAL ;
```

A decimal numeral is either the single ASCII character 0, representing the integer zero, or consists of an ASCII digit from 1 to 9 , optionally followed by one or more ASCII digits from 0 to 9 , and represents a positive integer.

```
DECIMAL_NUMBER ::= "0"
    | NON_ZERO_DIGIT { "_" | DIGIT } ;
NON_ZERO_DIGIT ::= "1" | "2" | "3" | "4" | "5" | "6" | "7" | "8" | "9" ;
```

The simplest form of integer literal is simply a sequence of decimal digits. If the literal is very long, it may be convenient to split it up into groups of digits by inserting isolated underlines thus "123_456_789". In contrast with identifiers, such underlines, are of course, of no significance other than to make the literal easier to read.

NOTE: The use of "-" character to format integers is also adopted by ADA language.
A hexadecimal numeral consists of the leading ASCII characters 0 x or 0X followed by one or more ASCII hexadecimal digits and can represent a positive, zero, or negative integer. Hexadecimal digits with values 10 through 15 are represented by the ASCII letters a through f or A through F, respectively; each letter used as a hexadecimal digit may be uppercase or lowercase.

```
HEX_NUMBER ::= "O" ("X" | "x") HEX_DIGIT { HEX_DIGIT } ;
HEX_DIGIT ::= "0".."9" | "a".."f" | "A".."F" ;
```

An octal numeral consists of an ASCII digit 0 followed by one or more of the ASCII digits 0 through 7 and can represent a positive, zero, or negative integer.

```
OCTAL_NUMBER ::= "0" OCTAL_DIGIT { OCTAL_DIGIT } ;
OCTAL_DIGIT ::= "0".."7" ;
```

Lexically correct integers may be refused by compilers if they denote values which do not fit (implementation dependent) range of type int (or nat).

### 3.8.2 Floating-Point Literals

See Section 4.3.4 for a general discussion of the floating-point types and values.
A floating-point literal has the following parts: a whole-number part, a decimal point (represented by an ASCII period character), a fractional part, and an exponent. The exponent, if present, is indicated by the ASCII letter e or E followed by an optionally signed integer.

At least one digit, in either the whole number or the fraction part, and a decimal point are required. The exponent is optional.

```
FLOATING_POINT ::= DECIMAL_NUMBER "." [ DIGIT { ["_"] | DIGIT } ]
    [ ( "e" | "E" ) [ "+" | "-" ] DECIMAL_NUMBER ]
    | DECIMAL_NUMBER ( "e" | "E" ) [ "+" | "-" ] DECIMAL_NUMBER
| "." DIGIT { ["_"] | DIGIT }
    [ ( "e" | "E" ) [ "+" | "-" ] DECIMAL_NUMBER ];
```

Lexically correct floating point numbers may be refused by compilers if they denotes values which do not fit (implementation dependent) range of type float.
Examples of floating-point literals:
1e1
2. $3 \quad 0.0$
3.14
$6.022137 e+23$
$1 e-9$

### 3.8.3 Characters

A character literal is expressed as a character or an escape sequence, enclosed in ASCII single quotes. A character literal is always of type char. See Section 4.3 .5 for more details on the char type.

```
CHAR ::= "'" CHAR_PRINTABLE "'" ;
CHAR_PRINTABLE = PRINTABLE | "\"" ;
PRINTABLE ::= TRULY_PRINTABLE
            | "\n" -- linefeed LF
    | "\t" -- horizontal tab HT
    | "\v" -- vertical tab VT
    | "\b" -- backspace BS
    | "\r" -- carriage return CR
        | "\f" -- form feed FF
        | "\a" -- alert BEL
        | "\\" -- backslash
        | "\?" -- question mark
        | "\'" -- single quote '
        | "\"" -- double quote "
        | "\\" OCTAL_DIGIT [ OCTAL_DIGIT [ OCTAL_DIGIT ]]
        | "\\" "x" HEX_DIGIT [ HEX_DIGIT ] ;
TRULY_PRINTABLE = CHARACTER - "\'\"\\" ; -- printable characters
CHARACTER = #040..#176 + #240..#377 ;
```

The escape sequences allow for the representation of some non graphic characters as well as the single quote, double quote, query, and backslash characters in character literals and string literals.
It is a compile-time error for the character following the TRULY_PRINTABLE or ESCAPE_SEQUENCE to be other than a '.
It is a compile-time error for a line terminator to appear after the opening ' and before the closing '. It is a compile-time error if the character following a backslash in an escape is not from the set specified above.
The following are examples of char literals:

```
'a' ,%, '\t' ,\\' ,\', '\xFFFF' '\177'
```


### 3.8.4 String Literals

A string literal consists of zero or more characters enclosed in double quotes. Each character may be represented by an escape sequence.
A string literal is always of type string (§ 4.3.6, p. 32).

```
STRING ::= "\"" { STRING_PRINTABLE } "\"" ;
STRING_PRINTABLE = PRINTABLE | "\'" ;
```

As specified in Section (§3.2, p. 20), neither of the characters CR and LF is ever considered to be PRINTABLE; each is recognized as constituting a line terminator. Instead, one should use the escape sequences " $\backslash n$ " for LF and " $\backslash r$ " for CR.
It is a compile-time error for a line terminator to appear after the opening " and before the closing matching ".

The following are examples of string literals:

```
"" "\"" "\n" "This is a string"
```


### 3.9 Operators

The following special symbols are reserved tokens of the languages, formed from ASCII characters. They appear into the concrete syntax between double quotes and in the abstract syntax in teletype fonts.


## Chapter 4

## Types

Lotos NT is a strongly typed language, a necessary condition for ensuring description safety.
Type declaration are used to define new types when the few predefined types are insufficient, which is the case of most descriptions. The declaration of new types is very general. However, several wellknow type schemes ${ }^{1}$ may be derived. In this case, some implicit declarations of other Lotos NT objects appear.

### 4.1 Type Definition

A type denotes a domain of values (see Section 2.4) on which Lotos NT objects are defined.
In Lotos NT, a type definition must be associated with a name which will be used to refer to it where useful: this association is a type declaration. This means that anonymous types do not exist. For this reason, the equality between types is given by the equality of their names (instead of structural equality).
The definition of types in Lotos NT follows the general approach of constructed types in functional languages where types are defined using type constructors. Constructors are special operations structuring the domain of the type. They give a name to the sub-domain of the type represented by the Cartesian product of the parameters.
The simpler syntax for type definition is the following:

```
type \(T\) is
    \(C_{1}\left[\left(V_{1}^{1}: T_{1}^{1}, \ldots, V_{m_{1}}^{1}: T_{m_{1}}^{1}\right)\right]\),
    \(\cdots\),
    \(C_{n}\left[\left(V_{1}^{n}: T_{1}^{n}, \ldots, V_{m_{n}}^{n}: T_{m_{n}}^{n}\right)\right]\)
end type
```

where $T, T_{1}^{1}, \ldots$ are type identifiers, $C_{1}, \ldots, C_{n}$ are constructor identifiers, and $V_{1}^{1}, \ldots$ are variable identifiers. The default list of parameters is the empty list.
For a constructor $C_{i}$, the identifier $V_{j}^{i}$ is called field or formal parameter, and $m_{i}$ is called operation arity.
The syntax given above must satisfy the following static semantics constraints:

[^2]- There must be at least one constructor declaration $(n \geq 1)$.
- For a given constructor $C_{i}$, the names of formal parameters must be pairwise distinct, i.e., $\forall j, k \in\left\{1, \ldots, m_{i}\right\} \quad(j \neq k) \Longrightarrow\left(V_{j}^{i} \neq V_{k}^{i}\right)$.
- For the set of constructors of a given type, fields having the same name should have the same type. For example, the type HeaderType defines the values that a header may have:

```
type HeaderType is
    Header1 (dest_id, data_length, header_CRC: nat)
| Header2 (dest_id: nat, source_id: nat, data_length, header_CRC: nat)
entype
```

The field dest_id appears in the parameter list of the two constructors with the same type nat. Note that the fields having the same type may be grouped in lists, like for Header1 constructor.

- Two or more constructors may have the same name (may be overloaded) if their profiles (the list of the types of parameters and the result type) differ. Note that the name of formal parameters does not solve the overloading.
- Type declarations may be mutually recursive. However, each type must be productive, i.e., it must have at least one value. Formally, a type is productive iff: (a) it has a constructor of arity 0 or (b) all the parameters of its constructors have productive types.


## Example 4.1.1

The type "bool" is defined in the (predefined) standard library as an enumeration of two values true and false, which are the type constructors of arity 0 .

```
type bool is
    false,
    true
end type
```

A more elaborate type is the type of a packet which contains a header part and a data part:

```
type PacketType is
    Packet (header: HeaderType, data: DataType)
end type
```

The constructor of type PacketType, Packet, has two parameters: the first is named header and has the type HeaderType, the second is named data and has the type DataType.
A list of packets may be defined using a recursive definition:

```
type PacketListType is
    PacketList_empty,
    PacketList_cons (head: PacketType, tail: PacketListType)
end type
```

The lists may be defined also using the rich term syntax as described in Section 4.4.

### 4.2 Predefined Operations

For each definition of a constructed type $T$, a set of predefined operations are automatically generated (sheel definitions of [BM79]):

- "==" and "!=", with the profile $T, T \rightarrow$ bool, for the equality (resp. non equality) test.
- "<", ">", "<=", ">=", with the profile $T, T \rightarrow$ bool, for the ordering test of values. Note that values of constructed types are ordered lexicographically. The declaration order of constructors is important: the constructor declared first is less than the constructors following it in the declarations.
- "string", with the profile $T \rightarrow$ string, returns the string representation of the value given as parameter.
- "ord", with the profile $T \rightarrow$ nat, returns the order number of the (first) constructor of the value.
- "card", with the profile $T \rightarrow$ nat, returns the number of constructors for $T$.

Only for finite types (§ 4.4.2, p. 34), the following operations are also defined :

- "succ" and "pred", with the profile $T \rightarrow T$, return the successor (resp. the predecessor) of the value given as parameter. For the border values, these operation are identities.
- "hash", with the profile $T \rightarrow$ nat, returns the order number of the term in the domain of the type $T$.

The user may specify explicitly the operations to be automatically generated when the type is declared, using a "with" clause:

```
type T is
    [with op },\ldots,o\mp@subsup{p}{n}{}
end type
```

where $o p_{1}, \ldots, o p_{n}$ belong to the set of the predefined operations above. Note that "==" and "! =" are always generated.

### 4.3 Predefined Types

As stated in the introduction, a "pure" FDT should not make assumption about the implementation issues. The FDT Lotos respects this constraint by allowing for types like natural numbers or integers only an axiomatic definition. In order to make easier the user task, the standard provides a standard library of data types which contains types like: boolean, natural number, bit, octet, etc.

However, feedback from users showed that the axiomatic definition is not natural and easy to use (e.g., natural numbers where 13 is expressed by 13 compositions of the operation "Succ" applied to " 0 "!). By consequence, it seems useful to accept natural (programming languages) notations for a set of predefined types. Chapter 3 defines the lexical tokens corresponding to these constants. This alternative definition does not exclude implementation dependent definitions given by the compilers ${ }^{2}$.
This section presents some of the predefined types which form the static basis of any Lotos NT description.

[^3]
### 4.3.1 The boolean type

Values of the boolean type, written "bool", are usual truth values true and false.
Besides the predefined operations provided for usual types, additional operations are available on type bool, e.g., the binary conjunction and disjunction, the unary negation, and comparisons (false $<$ true). Binary operations may exist in strict and non-strict (short-circuit evaluation) versions. An exhaustive list of these operations is given in Table 4.1.

| Name | Profile | Description |
| :--- | :--- | :--- |
| not | bool $\rightarrow$ bool | boolean negation |
| or | bool, bool $\rightarrow$ bool | logical disjunction |
| orelse | bool, bool $\rightarrow$ bool | cancellative or |
| and | bool, bool $\rightarrow$ bool | logical conjunction |
| andthen | bool, bool $\rightarrow$ bool | cancellative and |
| implies | bool, bool $\rightarrow$ bool | logical implication |
| iff | bool, bool $\rightarrow$ bool | logical equivalence |
| xor | bool, bool $\rightarrow$ bool | exclusive or |

Table 4.1: Predefined operations on type bool

### 4.3.2 The natural type

Values of natural type, written "nat", are natural numbers.
Besides the predefined operations provided for usual types, additional operations available on type nat are, for instance, binary operations such as addition, subtraction, multiplication, (Euclidean) quotient and remainder, and conversions to other numerical types. An exhaustive list of these operations is given on Table 4.2.

| Name | Profile | May raise | Description |
| :--- | :--- | :--- | :--- |
| + | nat, nat $\rightarrow$ nat |  | addition |
| - | nat, nat $\rightarrow$ nat | RANGE_ERROR | subtraction |
| $*$ | nat, nat $\rightarrow$ nat |  | multiplication |
| $* *$ | nat, nat $\rightarrow$ nat |  | power |
| $/$ | nat, nat $\rightarrow$ nat | ZERO_DIVISION | division |
| $\%$ | nat, nat $\rightarrow$ nat | ZERO_DIVISION | remainder (modulus) |
| int | nat $\rightarrow$ int | RANGE_ERROR | integer conversion |
| char | nat $\rightarrow$ char | RANGE_ERROR | char conversion |
| real | nat $\rightarrow$ real |  | real conversion |

Table 4.2: Predefined operations on type "nat"

### 4.3.3 The integral type

Values of integral type, written "int", are signed naturals.
Besides the predefined operations provided for usual types, additional operations available on type int are, for instance, binary operations such as addition, subtraction, multiplication, (Euclidean) division,
sign inversion, and conversions to other numerical types. An exhaustive list of these operations is given on Table 4.3.

| Name | Profile | May raise | Description |
| :--- | :--- | :--- | :--- |
| sign | int $\rightarrow$ int |  | sign |
| - | int $\rightarrow$ int |  | sign inversion |
| + | int, int $\rightarrow$ int |  | addition |
| subtraction |  |  |  |
| - | int, int $\rightarrow$ int |  | multiplication |
| $*$ | int, int $\rightarrow$ int |  | power |
| $* *$ | int, nat $\rightarrow$ int |  | int, int int |
| $/$ | int, in $\rightarrow$ ind_DIVISION | division |  |
| $\%$ | int, int $\rightarrow$ int | ZERO_DIVISION | remainder (modulus) |
| abs | int $\rightarrow$ int |  | absolute value |
| nat | int $\rightarrow$ nat | RANGE_ERROR | natural conversion |
| char | int $\rightarrow$ char | RANGE_ERROR | char conversion |
| real | int $\rightarrow$ real |  | float conversion |

Table 4.3: Predefined operations on type int

### 4.3.4 The floating point type

Values of the floating point type, written "real", are signed floating point numbers. Tools may consider implementation defined approximations of real numbers in an implementation-defined range.
Besides the predefined operations provided for usual types, additional operations on these values are the usual arithmetic operations, and conversions to another type. An exhaustive list of these operations is given in Table 4.4.

| Name | Profile | May raise | Description |
| :--- | :--- | :--- | :--- |
| - | real $\rightarrow$ real |  | sign inversion |
| abs | real $\rightarrow$ real |  | absolute value |
| + | real, real $\rightarrow$ real |  | addition |
| - | real, real $\rightarrow$ real |  | subtraction |
| $*$ | real, real $\rightarrow$ real |  | multiplication |
| $/$ | real, real $\rightarrow$ real | ZERO_DIVISION | division |
| $* *$ | real, nat $\rightarrow$ real |  | power |
| int | real $\rightarrow$ int | RANGE_ERROR | int conversion |

Table 4.4: Predefined operations on type real

### 4.3.5 The character type

Values of character type, written "char", are characters of the ASCII alphabet. Additional operations available on these values are, e.g., conversion into other types. An exhaustive list of these operations is given in Table 4.5.
NOTE: Different character sets may be considered. Here, we consider for the predefined character type the ISO Latin- 1 character set.

| Name | Profile | May raise | Description |
| :--- | :--- | :--- | :--- |
| nat | char $\rightarrow$ nat |  | natural conversion |
| tolower, toupper | char $\rightarrow$ char |  | conversion |
| isupper, islower, isalpha, |  |  |  |
| isdigit, isxdigit, isalnum | char $\rightarrow$ bool |  | tests |

Table 4.5: Predefined operations on type char

### 4.3.6 The string type

Values of string type, noted "string", are dynamic-length character strings.
Additional operations available on these values may be concatenation, getting length of a string, taking a substring of a longer string, taking all of a string except for a substring, inserting a string into another one, searching a given substring in a longer string ... Strings are ordered by lexicographic order. Strings may also be converted to other types. An exhaustive list of these operations is given in Table 4.6.

| Name | Profile | May raise | Description |
| :--- | :--- | :--- | :--- |
| length | string $\rightarrow$ nat |  | length |
| concat | string, string $\rightarrow$ string |  | concatenation |
| index, rindex | string, string $\rightarrow$ nat |  | sub-string search |
| prefix, suffix | string, nat $\rightarrow$ string |  | sub-string selection |
| substr | string, nat, nat $\rightarrow$ string |  | sub-string selection |
| nth | string, nat $\rightarrow$ char |  | the n-th character |
| empty | string $\rightarrow$ bool |  | emptiness test |
| int | string $\rightarrow$ int | RANGE_ERROR | int conversion |
| real | string $\rightarrow$ real | RANGE_ERROR | real conversion |

Table 4.6: Predefined operations on type string

### 4.3.7 The "none" type

The type "none" is the type whose domain is empty.
The type none is useful to give an uniform syntax for exceptions without value parameter, for functions without result (§5.5.1, p. 54), for non-exiting processes (§ 6.7.1, p. 66), and for typing expressions and statements.

### 4.3.8 The "time" type

The case of type "time" is special in Lotos NT. It denotes values of the time domain. In some languages like: Atp[NS94], ...the time domain must be discrete, i.e., isomorphic to the natural numbers. In Lotos NT (as introduced by its predecessors ET-Lotos or RT-Lotos), the time domain may be dense ${ }^{3}$, i.e., isomorphic to non-negative rational numbers.
The unique assumption made for the time domain is that it is countable. This implies that the underlying semantics model is indeed a labelled transition system (§2.5, p. 17). In fact, it is possible

[^4]with Lotos NT to define one's own time domain, noted $D$, provided that some assumptions are satisfied:

A1 There exists an associative and commutative operation " $+: D, D \rightarrow D$ ".
A2 There exists an element $0 \in D$ such that it is neutral element for " + ".
A3 The domain $D$ is left-cancellative, i.e., $\forall t, u \in D \cdot(t+u=t+v) \Longrightarrow(u=v)$.
A4 The domain $D$ is anti-symmetric, i.e., $\forall t, u \in D .(t+u=0) \Longrightarrow(t=u=0)$.
A5 Each time domain $(D,+, 0)$ induces a binary order of precedence defined by:

$$
\forall t, u \in D \cdot t \leq u \Longleftrightarrow \exists v \in D \cdot t+v=u
$$

A6 There exists an absorption element $\infty$, defined such that $\forall t \in D . t+\infty=\infty$. So $\forall t \in D . t \leq \infty$.
The assumptions A1-A4 imply that the time domain is a left-cancellative anti-symmetric monoid [JSV93]. Examples of time domains include: the natural numbers (nat ${ }^{+} \cup\{\infty\},+, 0$ ), the positive rational numbers, etc.
NOTE: In the current version, Traian considers that the time domain is nat.

### 4.4 Derived Types

The Lotos NT type declaration is very general. It allows the definition of more familiar types (e.g., enumerations, records, sets, lists, arrays) as derived types or "rich term syntax" [Pec94].
This section presents how some derived type declarations are introduced as syntactic sugar of the more general type declaration.

### 4.4.1 Enumerated types

The enumerated type definition declares values of a (finite) domain ordered by the declaration order. The declaration of an enumerated type $T_{E}$ with values $C_{1}, \ldots, C_{n}$ has the following syntax:

```
type T}\mp@subsup{T}{E}{}\mathrm{ is
    enum }\mp@subsup{C}{1}{},\ldots,\mp@subsup{C}{n}{
    [with o\mp@subsup{p}{1}{},\ldots,o\mp@subsup{p}{n}{}]
end type
```

For example:

```
type day_of_week is
    enum Monday, Tuesday, Wednesday, Thursday, Friday, Saturday, Sunday
    with <
end type
```

The order in which the values of the type are declared induces an order relation, for example Monday < Wednesday.
The declaration above is translated into the following constructed type declaration:

```
type T}\mp@subsup{T}{E}{}\mathrm{ is
    C1 , ..., C C
    [with o\mp@subsup{p}{1}{},\ldots,o\mp@subsup{p}{n}{}]
    end type
```

In Table 4.7 we give the exhaustive list of the additional operations for an enumerated type $T_{E}$.

| Name | Profile | May raise | Description |
| :--- | :--- | :--- | :--- |
| $\min ^{\dagger}$ | $\rightarrow T_{E}$ |  | least value |
| $\max ^{\dagger}$ | $\rightarrow T_{E}$ |  | greatest value |
| $T_{E}^{\dagger}$ | nat $\rightarrow T_{E}$ | RANGE_ERROR | $T_{E}$ conversion |

Table 4.7: Operations predefined for enumerated types

### 4.4.2 Scalar and simple types

Scalar types are bool, nat, int, char, user defined finite types and enumerable types, and those only.
A type is finite if its domain is finite. Informally, a type is finite if either its constructors are of arity 0 (enumerated types), or the arguments of its constructors are finite types which do not depend recursively on the current type.
Formally, it is possible to detect finite types by constructing the dependency graph between types. A type $T$ depends on type $T^{\prime}$ if $T^{\prime}$ appears as the type of an argument of a constructor of type $T$. The finite types are those contained in acyclic sub-graphs (trees) of the dependency graph having as leaves user defined enumerated types, or bool, or char.

For finite types $T$ it is possible to define:

- a function init ${ }^{\dagger}: \rightarrow T$ which gives the smallest value of the domain,
- a function $\operatorname{succ}^{\dagger}: T \rightarrow T$ which gives for a value the "next" value of the domain, and
- a function $\max ^{\dagger}: \rightarrow T$ which gives the biggest value of the domain.

An enumerable type is a type whose domain is isomorphic with the domain of natural numbers, and a total order relation defined on its elements. For the user defined types, the order relation is given by the lexicographic order induced by the declaration order of the constructors. Consider for example the type HeaderType ( $\S 4.1$, p. 27). Values constructed using the Header1 constructor are smaller than values constructed using the constructor Header2.

For enumerable types, it is possible to define the functions init and succ, but not max.
Simple types are scalar types plus the type real.

### 4.4.3 Record types

A record type corresponds to the Cartesian product of component types, except that component values are accessed by a name rather than by their position.
A simple syntax for record type definition $T_{R}$ with fields $V_{1}$ of type $T_{1}, \ldots, V_{n}$ of type $T_{n}$ is:

```
type }\mp@subsup{T}{R}{}\mathrm{ is
    record }\mp@subsup{V}{1}{}:\mp@subsup{T}{1}{},\ldots,\mp@subsup{V}{n}{}:\mp@subsup{T}{n}{
    [with op },\ldots,o\mp@subsup{p}{n}{}
end type
```

The declaration above is translated into the following one:

```
type \(T_{R}\) is
    \(T_{R}\left(V_{1}: T_{1}, \ldots, V_{n}: T_{n}\right)\)
    [with \(o p_{1}, \ldots, o p_{n}\) ]
end type
```

and operations as selection of a field, equality, inequality, and comparisons are defined as for the constructed types.

### 4.4.4 Sets

A set type declaration introduces a type which is the power-set of some other scalar type, which is called the basic type. The sets cannot have multiple occurrences of the same element. In order to test if an element is equal to another, an equality relation should be defined over the domain of the basic type.
The definition of a set type $T_{\text {set }}$ with elements of the scalar type $T$ has the following syntax:

```
type \(T_{\text {set }}\) is
    set of \(T\)
    [with \(o p_{1}, \ldots, o p_{n}\) ]
end type
```

Values of such types are subsets of the set of all values of the basic type. Any set, whatever its size is, can be represented, except when system-dependent limitation arises. Implementations may use some techniques to be space and time efficient, but they cannot apply a general technique. For example, a possible representation of a set type $T_{\text {set }}$ with elements of type $T$ is given by the following constructed type definition:

```
type T Tet is
    NIL , CONS(HEAD:T,TAIL:T}\mp@subsup{T}{\mathrm{ set }}{}\mathrm{ )
    [with op },\ldots,o\mp@subsup{p}{n}{}
end type
```

where NIL denotes the empty set, and CONS denote the union between an element HEAD and a set TAIL. Note that the union is not disjunct, so HEAD can be an element of TAIL.

Operations available on sets are construction, binary operations as union, intersection, and difference, comparisons, and membership test. An exhaustive list of these operations for a type $T_{\text {set }}$ which is a set with elements of a given type $T$ is presented in Table 4.8.
The values of type set may be represented "in extenso" (i.e., by giving the list of their elements) using the notation:

$$
\left\{E_{1}, \ldots, E_{n}\right\}
$$

where $E_{1}, \ldots, E_{n}$ are expressions returning values of type $T$.
This notation must be equivalent to the value union( $\left.\operatorname{CONS}\left(E_{1}, N I L\right), \ldots\right)$ in the representation given above.

### 4.4.5 Lists

Values of type list are ordered, linear lists, the elements of which belong to the same type, called the element type. There is no restriction on this type.

| Name | Profile | May raise | Description |
| :--- | :--- | :--- | :--- |
| $\left\}^{\dagger}\right.$ | $\rightarrow T_{\text {set }}$ |  | empty set |
| full $^{\dagger}$ | $\rightarrow T_{\text {set }}$ |  | full set |
| union $^{\dagger}$ | $T_{\text {set }}, T_{\text {set }} \rightarrow T_{\text {set }}$ |  | union |
| diff $^{\dagger}$ | $T_{\text {set }}, T_{\text {set }} \rightarrow T_{\text {set }}$ |  | difference |
| comp $^{\dagger}$ | $T_{\text {set }} \rightarrow T_{\text {set }}$ |  | complementation |
| inters $^{\dagger}$ | $T_{\text {set }}, T_{\text {set }} \rightarrow T_{\text {set }}$ |  | intersection |
| isin $^{\dagger}$ | $T, T_{\text {set }} \rightarrow$ bool |  | membership test |
| isempty $^{\dagger}$ | $T_{\text {set }} \rightarrow$ bool |  | emptiness test |
| issubset $^{\dagger}$ | $T_{\text {set }}, T_{\text {set }} \rightarrow$ bool |  | emptiness test |
| isdisjoint $^{\dagger}$ | $T_{\text {set }}, T_{\text {set }} \rightarrow$ bool |  | emptiness test |
| card $^{\dagger}$ | $T_{\text {set }} \rightarrow$ int | RANGE_ERROR | number of elements |

Table 4.8: Operations predefined for a set type

The definition of a list type $T_{L}$ with elements of type $T$ has the following syntax:

```
type }\mp@subsup{T}{L}{}\mathrm{ is
    list of T
    [with op },\ldots,o\mp@subsup{p}{n}{}
end type
```

This definition is translated into a constructed type definition as follows:

```
type }\mp@subsup{T}{L}{}\mathrm{ is
    NIL, CONS(HEAD:T,TAIL:T}\mp@subsup{T}{L}{}
    [with op 
end type
```

Operations available for lists are construction, efficient non-destructive concatenation, length, test for emptiness, head, and tail. An exhaustive list of these operations for a type $T_{L}$ (list of elements of type $T$ ) is presented in Table 4.9.

| Name | Profile | May raise | Description |
| :--- | :--- | :--- | :--- |
| nil | $\rightarrow T_{L}$ |  | empty list |
| cons | $T, T_{L} \rightarrow T_{L}$ |  | list cons (front) |
| isempty |  |  |  |
|  | $T_{L} \rightarrow$ bool |  | emptiness test |
| tcons $^{\dagger}$ | $T_{L}, T \rightarrow T_{L}$ |  | list cons (end) |
| head $^{\dagger}$ | $T_{L} \rightarrow T$ | EMPTY_LIST | first element |
| tail $^{\dagger}$ | $T_{L} \rightarrow T_{L}$ | EMPTY_LIST | all elements but first |
| concat $^{\dagger}$ | $T_{L}, T_{L} \rightarrow T_{L}$ |  | concatenation |
| length $^{\dagger}$ | $T_{L} \rightarrow$ int | RANGE_ERROR | number of elements |
| nth $^{\dagger}$ | $T_{L}$, nat $\rightarrow \mathrm{T}$ | RANGE_ERROR | n-th element |

Table 4.9: Operations predefined for a list type

The list may be specified "in extenso" by using the following notation:

$$
\left[E_{1}, \ldots, E_{n}\right]
$$

where $E_{1}, \ldots, E_{n}$ are expressions returning values of type $T$. This notation is equivalent to $\operatorname{CONS}\left(E_{1}, \operatorname{CONS}\left(E_{2}, \ldots, \operatorname{CONS}\left(E_{n}, \operatorname{NIL}\right)\right)\right)$.

### 4.5 Subtypes $^{\dagger}$

A subtype type gives a name of a sub-domain of a base type, named host type, by specifying the set of values of this sub-domain by a boolean predicate. The syntax for subtype definition $T_{s}$ of host type $T$ is:

```
type T}\mp@subsup{T}{s}{}\mathrm{ is
    {V:T,E}
    [with op },\ldots,o\mp@subsup{p}{n}{}
end type
```

where $E$ is a predicate on the type $T$. A subtype is a new type in the sense of the type checking: values of a subtype type are considered different from the values of the host type. The conversion between values of the subtype and value of the host type should be done explicitly using "of" expressions. The operations in the subtype types are those inherited from the host type.

### 4.6 Arrays $^{\dagger}$

Values of type array are tuples of a fixed dimension, the element of which belong to the same type, called the base type. Base types must be finite so that arrays are finite. The dimension of the array should be finite.

The definition of an array type $T_{A}$ of dimension $n$, with indexes from the product of types $T_{1}, \ldots, T_{n}$, and elements of type $T_{0}$ has the following syntax:

```
type \(T_{A}\) is
    array \(\left[T_{1}, \ldots, T_{n}\right]\) of \(T_{0}\)
end type
```


### 4.7 External Types and Pragmas

In order to interface with other languages, a type definition may specify the name which should be used for the type in an implementation. Moreover, it can also specify that a type has an external definition. This is done using pragmas.
The general syntax for type definition becomes:

```
type T is type-pragmas
    C1}[(\mp@subsup{\overline{V}}{1}{1}:T\mp@subsup{T}{1}{1},\ldots,\mp@subsup{\overline{V}}{\mp@subsup{m}{1}{}}{1}:T\mp@subsup{T}{\mp@subsup{m}{1}{}}{1})]\mathrm{ operation-pragmas,
    \cdots,
    C
    [with op },\ldots,o\mp@subsup{p}{n}{}
end type
```

Types pragmas are lists of type-pragma having the following forms:

- "!external" if the type has an external implementation; this implementation should be provided in an external file having the extension ".t".
- "!implementedby STRING" if the external name used for the type is STRING.
- "! comparedby STRING" if the equality function == should be implemented by the STRING function.
- "!printedby STRING" if the values of the type should be printed by the STRING function.
- "!enumeratedby STRING" if the values of the type should be enumerated (if possible) by the STRING function.
- "!pointer [INTEGER]" if the type has to be implemented by a pointer in C.

When INTEGER is strictly positive, then all values of type T will be stored into an hash table of size INTEGER and, thus, represented as entries within this table. The hash table is extensible, meaning that T can have more than INTEGER different values. For performance reasons, it is advised to choose a value of INTEGER close to the cardinal of $T$.
When INTEGER is not specified, the type will be implemented as a pointer type, instead of having its value stored in an hash table.

Operation pragmas are lists of operation-pragma having the following forms:

- "!external" if the operation has an external implementation in a file having the extension ".f".
- "!implementedby STRING" if the external name of the operation is STRING.


## Chapter 5

## Expressions, Statements, and Functions

The data part of Lotos NT is mainly based on types, expressions, statement, and functions. Types and type definitions are presented in Chapter 4; expressions, statements, and functions are presented in this chapter.
One may replace the data part of Lotos NT with another data description formalism ensuring the safety property, for example ActOne data types. Note that the behaviour part of the language contains symmetrical constructs of the data part.
There is a fundamental difference between the expressions/statements (and functions) and behaviours (and processes). An expression or a statement cannot contain communication, non-determinism, concurrency, or real-time. The data part is a sequential and deterministic language. The evaluation of an expression takes no time, and should return a value, or may raise an exception. The evaluation of a statement takes no time, and may return a value, assign some variables, and raise an exception.
An important characteristic of the data language presented here is its "clean" imperative style. The language supports assignment and other imperative style facilities, but a proper semantics is given [Sig99], which restricts undesirable effects like the use of uninitialized variables. The imperative style is combined with constructs specific of functional languages, e.g., pattern-matching.
This chapter presents all aspects related to data language: constants, variables, expressions, statements, and function declarations.

### 5.1 Constants

Primitive constants, written $K$, are boolean values true and false, integral numbers of type int or nat, floating point numbers of type real, character constants of type char, and string constants of type string.

### 5.2 Value expressions

Value expressions (or shortly expressions) are primitive constants and terms of the user defined types built using the application of constructors or functions. As a consequence, any value is typed. Moreover, value expressions cannot assign variables and may raise exceptions (§5.4.9, p. 52) only by function calls.
The following grammar gives the syntax of value expressions:

|  | $=$ | K | primitive constant |
| :---: | :---: | :---: | :---: |
|  |  | V | variable |
|  |  | $C[(E S)]$ | constructor application |
|  |  | $E C E$ | infix constructor application |
|  | 1 | [ $E\{, E\}$ ] | list or set construction |
|  |  | array $T[E\{, E\}]$ | array construction |
|  | 1 | $F[(E S)]$ | function call |
|  | \| | $E F E$ | infix function call |
|  | - | $V\left[E_{1}, \ldots, E n\right]$ | array access |
|  | \| | E.V | field selection |
|  |  | $E . '\left\{{ }^{\prime} E S^{\prime}\right\}^{\prime}$ | field update |
|  | \| | $E$ of $T$ | type coercion |
|  | \| | $E$ raises [ $X, S$ ] | raise exception expression |
|  |  | (E) | parenthesized expression |
| $E S$ | ::= |  | empty record |
|  |  | $V_{1}=>E_{1}, \ldots, V_{n} \Rightarrow>E_{n}$ | record |
|  |  | $E_{1}, \ldots, E_{n}$ | tuple |
| $X S$ | ::= | [...] | empty or dotted record |
|  |  | $X_{1}^{\prime} \Rightarrow X_{1}, \ldots, X_{n}^{\prime} \Rightarrow X_{n}[, \ldots]$ | record |
|  |  | $X_{1}, . ., X_{n}$ | tuple |

(XS3)
where $E, E_{1}, \ldots$ denote value expressions, $V$ denotes variables, $C$ denotes constructor identifiers, $E S$ denotes lists of actual value expression parameters (named for record or unnamed for tuple), and $X S$ is a list of actual exception parameters (§ 5.4.9, p. 52). The precedence of operators appearing in expressions is given in table 5.2.

| Priority | Operations |
| :---: | :--- |
| 0. | raises |
| 1. | - unary |
| 2. | of, . field selection and update |
| 3. | and, andthen, $/, \%, *, * *$ |
| 4. | or, orelse, xor,,+- |
| 5. | $==,!=,\langle,<=,>=,>$, iff, implies |

Value expressions are evaluated to value or normal forms. Values are primitive constants and ground terms of the user defined types built using the application of constructors on value records. We will write values $N, N_{1}, \ldots$ and sequences of values $N S$.
The construct "..." for exception parameters allows the user to avoid the explicit instantiation of the actual exception parameters if they are the same name as the formal parameters. For example, if the formal parameter exception of the function $F$ is called $X$, one may call $F$ like " $F$ () raises [...]" which is replaced by the compiler with " $F$ () raises $[X \Rightarrow X]$ "; in this case, $X$ should be already declared in the environment.

### 5.2.1 Variables

Variables, noted $V$, are assignable objects containing values which are computed elsewhere. Note that, from this point of view, the Lotos NT data language is an imperative language: it supposes the existence of a memory (a set of cells represented by variables which can store some values) which can be accessed for read and write operations. However, the static semantics constraints impose a clean imperative style: the access to an uninitialized cell (variable) is signaled at compile time and does not produce a run-time error.

A value expression may be a variable $V$. The variable must be initialized (contains a value). The type of the expression is the type of the variable, and the result of the expression evaluation is the value of the variable $V$.
Chapter 6 presents the use of variables in behaviours. The main constraint is that variables cannot be shared between concurrent behaviours. More precisely, if a variable is written by a behaviour, it cannot be read or written by a concurrent behaviour.

### 5.2.2 Constructor application

The constructor application computes values of the domain of their target type. The constructor should be already defined in the current environment by type definitions (§4.1, p. 27). The actual list of arguments of the constructor may be expressed either by name giving a record whose fields are labelled with the names of formal parameters (alternative ES2), or by position giving the (ordered) list of actual values (alternative ES3).

The expressions below use positional constructor application:

$$
\begin{aligned}
& C\left(E_{1}, \ldots, E_{n}\right) \\
& E_{1} C E_{2}
\end{aligned}
$$

the following expression use the named style:

$$
C\left(V_{1}=>E_{1}, \ldots, V_{n}=>E_{n}\right)
$$

Note that the positional style may be translated into the named style using the static semantics informations about the constructor declaration.
The number of actual parameters must be the same as the arity of the constructor. In the named style, the names of the formal parameters (fields $V_{1}, \ldots, V_{n}$ ) must be pairwise distinct, i.e., a formal parameter $V_{i}$ should appear only once in the list. The values $E_{1}, \ldots, E_{n}$ associated with these names must have the same types as the corresponding formal parameters.
If the constructor has only two parameters it can be applied in the infix positional style.
If the constructor is overloaded, the informations given by the type of its parameters and the type of the resulting value should suffice to solve the overloading (i.e., to find the unique constructor having
this profile).
The evaluation of constructor application begins with the left-to-right evaluation of its actual parameters. The values obtained are used to form the constructed value which is the result of evaluation. If one expression $E_{i}$ raises an exception ( $\S 5.4 .9$, p. 52 ), the evaluation is blocked, and the exception is signaled.

## Example 5.2.1

Monday is a value of the type day-of-week.
Header1 (1, 2, 3), Header2 (1, 0, 2, 3) are values of type HeaderType.
Header1 (1, 2, 3) and Header1 (data_length $\Rightarrow$ 2, dest_id => 1, header_CRC => 3) represent the same value of type HeaderType.

### 5.2.3 Function application

The function application is largely treated in Section 5.5.2. Note that, for function application expressions the function should return a value and cannot do side effects (have only "in" parameters). Functions may be predefined operations described in 4.3.

### 5.2.4 Field selection

A field selection expression has the general form:
( $E . V$ ) raises [X]
where $E$ is an expression and its value is of the form $C\left(V_{1}=>N_{1}, \ldots, V_{n}=>N_{n}\right)$ (i.e., a constructed value) and $V$ is one of the fields $V_{1}, \ldots, V_{n}$. The selection expression returns the value of this field. Note that the parenthesis are needed in order to avoid some ambiguities in the grammar.
It is worth noticing that the exception $X$ is raised (see Section 5.4.9) if the value returned by $E$ does not have a field of name $V$. In fact, the static semantics ensures that the field $V$ is a field of one of the constructors of the $E$ type. However, this does not suffice to ensure that no dynamic error arises.
NOTE: To be sure that no exception is raised, one may wish to use field selections for record types only. In this case, the static semantics will ensure that the single constructor of the record type has the field as argument; thus, the raise clause should be omitted with current version of the compiler.

## Example 5.2.2

If $E$ is an expression of type HeaderType, the following expression:
( E.dest_id) raises [ $X$ ]
selects the component "dest_id" of the value. More precisely, if $E$ evaluates to "Header1 (data_length => 2, dest_id => 1, header_CRC => 3)", the selection expression above returns 2; if $E$ evaluates to "Header2 (1, 0, 2, 3)", the selection expression evaluates to 1 (the field "dest_id" is the first parameter of the "Header2" constructor).

The field selection may be translated into a function call. For example, if $E$ is an expression of type $T$ below:

```
type T is
    C1}(\mp@subsup{V}{1}{}:\mp@subsup{T}{1}{}
    | C C (V2:T
    | C}\mp@subsup{C}{3}{(}(\mp@subsup{V}{1}{}:\mp@subsup{T}{1}{},\mp@subsup{V}{2}{}:\mp@subsup{T}{2}{}
    | C4}(\mp@subsup{V}{4}{}:\mp@subsup{T}{4}{}
end type
```

then, the expression ( $E . V_{1}$ ) raises [ $X$ ] is equivalent to a function call having the following body:

```
case E is
    C
```



```
    | any T -> raise X
end case
```


### 5.2.5 Field update

A field update expression has the general form:

$$
\left(E .\left\{V_{1}=>E_{1}, \ldots, V_{n}=>E_{n}\right\}\right) \text { raises }[X]
$$

where $E$ is an expression and its value is of form $C\left(V_{1}^{\prime} \Rightarrow>N_{1}, \ldots, V_{m}^{\prime} \Rightarrow>N_{m}\right)$ (i.e., a constructed value) and $\left\{V_{1}, \ldots, V_{n}\right\} \subseteq\left\{V_{1}^{\prime}, \ldots, V_{m}^{\prime}\right\}$.
The update expression returns the value of $E$ where the fields $V_{1}, \ldots, V_{n}$ have been modified to values resulted from the evaluation of $E_{1}, \ldots, E_{n}$ expressions. If the value represented by $E$ has not (all) the fields $V_{1}, \ldots, V_{n}$, the exception $X$ is raised.
NOTE: To be sure that no exception is raised, one may wish to use field updates for record types only. In this case, the static semantics will ensure that the single constructor of the record type has the field as argument; thus, the raise clause should be omitted with current version of the compiler.

### 5.2.6 Unambiguous Expressions

To solve the type ambiguity introduced by the function and constructor overloading, the explicit typing of expression is allowed:
$E$ of $T$
The evaluation of this expression is the same as the evaluation of $E$; the type $T$ is used only at compile time.
The construct " $(E$ of $T)$ raises [ $X$ ]" is used for type-subtype coercion ${ }^{\dagger}$.
Another source of ambiguity is the precedence of Lotos NT predefined operations. This precedence can be forced using parenthesized expressions:
( $E$ )
$(E)$ evaluates like $E$. Parenthesis may be also used for esthetic considerations.

### 5.3 Patterns

A pattern is a construct allowing to obtain informations about the structure of values. The patterns, denoted by $P$, have the following form:

$$
\begin{array}{rrr}
P::= & V & \text { variable } \\
& K & \text { constant pattern } \\
& \mid \text { any } & \text { wildcard } \\
& V \text { as } P & \text { aliasing } \\
& C[(P S)] & \text { constructed pattern } \\
& {[P S]} & \text { list pattern } \\
& P \text { of } T & \text { explicit typing }
\end{array}
$$

where $P S$ denotes lists of pattern parameters (named for records or unnamed for tuples):

$$
\begin{array}{rlr}
P S::= & {[\ldots]} & \text { empty or wildcard record } \\
& V_{1}=>P_{1}, \ldots, V_{n}=>P_{n}[, \ldots] & \text { record } \\
& P_{1}, \ldots, P_{n} & \text { tuple } \tag{PS3}
\end{array}
$$

The variables $V$ belonging to a pattern $P$ are "initialization" occurrences (i.e., they should be already declared, but may be non initialized). It is not allowed to use several times the same variable $V$ in the same pattern $P$.
NOTE: Like in ActOne, and unlike in functional languages, the occurrence of a variable in a pattern is a "use" occurrence and not a "define" occurrence. This design choice is compatible with the "declare before use" requirement of imperative style languages.
The pattern-matching of a value $N$ with a pattern P has two effects:

1. Sends a boolean result which is true if $N$ has the same structure as $P$, false otherwise.
2. If $N$ matches $P$, the variables $V$ used by $P$ are initialized with the values extracted from $N$.

Matching is defined (recursively) as follows. Remind that patterns and values match only if they have the same type.

| Pattern | Value | Condition | Effect | Result |
| :---: | :---: | :---: | :---: | :---: |
| $V$ | $N$ | None | $V$ receives $N$ | true |
| $K$ | $K$ | None | None | true |
| $K$ | $N$ | $K \neq N$ | None | false |
| any | $N$ | None | None | true |
| $V$ as $P$ | $N$ | $P$ and $N$ match | $V$ receives $N$ | true |
| $V$ as $P$ | $N$ | $P$ and $N$ do not match | None | false |
| $C\left(P_{1}, \ldots, P_{n}\right)$ | $C\left(N_{1}, \ldots, N_{n}\right)$ | Each $P_{i}, N_{i}$ match | None | true |
| $C\left(P_{1}, \ldots, P_{n}\right)$ | $C\left(N_{1}, \ldots, N_{n}\right)$ | Some $P_{i}, N_{i}$ do not match | None | false |
| $C\left(P_{1}, \ldots, P_{n}\right)$ | $N$ | $N$ has not the form $C\left(N_{1}, \ldots, N_{n}\right)$ | None | false |
| $P$ of $T$ | $N$ | Same as matching $P$ and $N$ |  |  |

Note that:

- in the pattern $V$ as $P, V$ cannot occur in $P$;
- $P$ of $T$ is used only to solve ambiguities caused by constructor overloading.

The "..." notation is a shorthand meaning that all fields of the record have an "any" pattern. Note that the type of the record should be unambiguous. Also, the "..." shorthand can be used following a sequence of labelled patterns. It will be translated to a record in which the unspecified fields are "any" patterns.

## Example 5.3.1

For a value of type HeaderType, the following patterns:
Header1 (dest, length, crc)

allow to obtain the destination (into the variable dest), the length of data (into the variable length), and the CRC (into the variable crc) of the value. The source value is neglected since the "..." are translated to source_id => any.
Note that the variables initialized by the matching of the pattern $P$ against the value $N$ may be used in the remainder of the description iff the pattern-matching is successful. This ensures that the variables defined inside a pattern are always initialized before use.
The patterns are mainly used in the "case" statement (§ 5.4.6, p. 48) and behaviour (§ 6.2.2, p. 60), but they appear also in the trap statement (§ 5.4.9, p. 53) and behaviour (§6.2.4, p. 62).

### 5.4 Statements

A Lotos NT statement, denoted by $I$, may return a value, assign variables, and raise exceptions. The main difference between expressions and statements is that statements only may assign variables and explicitly raise exceptions.

Each statement is typed by the record of variables assigned and the value returned. The evaluation of a statement may modify the memory, return a value, or/and raise an exception.
The following grammar gives the syntax of statements:

```
\(I::=\) return \(E\)
    | null termination
    | \(V:=E\) assignment
    | \(I\); sequential composition
        \(\operatorname{var} \bar{V}: T[:=E]\{, \bar{V}: T[:=E]\}\) in variable declaration
            I
        end var
        case \(E[: T]\) is \([\operatorname{var} V L \mathbf{i n}]\) case statement
            IM
        end case
    | if \(E\) then \(I \quad\) conditional statement
            \(\{\) elsif \(E\) then \(I\) \}
            [ else \(I\) ]
        end if
        eval \([V:=] F[(V S)][\) raises \([X S]] \quad\) procedure call
```

```
            | loop I end loop_forever loop
            | loop X in breakable loop
            I
            end loop
                | while E do while loop
            I
            end while
                | for }I\mathrm{ while E by I do for loop
            I
            end for
                | break X loop break
                raise X[E] raise exception
                trap {exception X[:T] is I} in trapping exceptions
            I
            end trap
                \overline { V } : : = V \{ , V \} \quad ~ l i s t ~ o f ~ v a r i a b l e ~ i d e n t i f i e r s
VL ::= \vec{V}:T{,\vec{V}:T}\quad variable list
IM ::= P{| P}[[E]] -> I match-statement
    |M | IM list
VE ::= E actual parameter"in"
    | ?V actual parameter "out" and "inout"
VS ::= [...] empty or wildcard
    | V=>VE{,V=>VE}[,...] disjoint union
    | VE{,VE} list
where \(I M\) are match instructions, \(V E\) are actual value parameter, and \(V S\) are sequences of actual value parameters.
In the following we present each Lotos NT statement.

\subsection*{5.4.1 Value return}

The evaluation of the statement "return \(E\) " begins with the evaluation of \(E\). If \(E\) evaluates successfully, the statement returns the value of \(E\). If \(E\) raises an exception, the statement raises the same exception and terminates unsuccessfully (blocks).

\subsection*{5.4.2 Null Statement}

The statement "null" has no other effect than termination. It does not return any value and it does not assign any variable.

\subsection*{5.4.3 Assignment}

The effect of an assignment statement " \(V:=E\) " is the modification of the value stored by the variable \(V\) at the value given by the expression \(E\). Note that lateral side effects are avoided because the expression \(E\) cannot assign other variables. It can only return a value.
The evaluation starts by evaluating \(E\). If \(E\) terminates successfully, the resulting value is assigned to the variable \(V\). If \(E\) raises an exception (§5.4.9, p. 52), the exception is propagated and \(V\) is not assigned.

The value of a variable may also be modified by function call (§5.5.2, p. 56) or process call (§ 6.7, p. 66). A variable can take several successive values, for example:
```

V := 0 ; V := V + 1

```
where the variable V receives values 0 and 1. As long as statements and expressions cannot have a behaviour, the variable \(V\) takes these values at the same instant.

\subsection*{5.4.4 Sequential Composition}

In the sequential composition of statements " \(I_{1} ; I_{2}\) ", the statement \(I_{1}\) cannot return a value but may assign variables (i.e., the return statement should be in the final position of the sequential composition).
The evaluation starts by evaluating \(I_{1}\). If \(I_{1}\) terminates successfully, the result is given by the evaluation of \(I_{2}\). If \(I_{1}\) raises an exception ( \(\S 5.4 .9\), p. 52 ), the exception is propagated and \(I_{2}\) is never started. For example "raise X ; \(\mathrm{V}:=1\) " will never assign 1 to V .

\subsection*{5.4.5 Variable declaration}

Variables may be declared (and initialized) using the local variable declaration statement, which has the simple form:
```

$\operatorname{var} V_{1}: T_{1}\left[:=E_{1}\right], \ldots, V_{n}: T_{n}\left[:=E_{n}\right]$
in $I$
end var

```
where \(V_{1}, \ldots, V_{n}\) are variable identifiers, \(T_{1}, \ldots, T_{n}\) are type identifiers, \(E_{1} \ldots, E_{n}\) are expressions, and \(I\) is a statement.

A "var" statement declares the names of variables having the same scope, their types, and (optionally) their initial values. The scope of a variable declaration is the body \(I\). Scoping is lexical: any redeclaration of a variable hides the outer declaration.
Variables \(V_{1}, \ldots, V_{n}\) should be different. The types of expressions \(E_{1} \ldots, E_{n}\) should be resp. \(T_{1}, \ldots, T_{n}\).

\subsection*{5.4.6 Case statement}

Lotos NT allows to describe conditional processing of data by using constructs similar to those used by the usual programming languages: "case" and "if".
The most general conditional statement offered by Lotos NT is the "case" statement, whose simplest form is:
```

case }\mp@subsup{E}{0}{}:T\mathrm{ is
var }\mp@subsup{V}{1}{}:\mp@subsup{T}{1}{},···,\mp@subsup{V}{n}{}:\mp@subsup{T}{n}{}\mathrm{ in
P
| \cdots
| P}\mp@subsup{P}{n}{[}[\mp@subsup{E}{n}{}] -> In
end case

```
where \(n \geq 1\). The expression \(E_{0}\) must have the same type as the patterns \(P_{1}, \ldots, P_{n}\). The expressions \(E_{1}, \ldots, E_{n}\) must be boolean guards, and their default value is true. The statements \(I_{1}, \ldots, I_{n}\) should return a value of the same type and initialize the same set of (non-local declared) variables. This condition is important for the control of the variable flow. The scope of variables \(V_{1}, \ldots, V_{n}\) are the patterns \(P_{i}\), the boolean guards \(E_{i}\), and the statements \(I_{i}\).
The patterns \(P_{1}, \ldots, P_{n}\) must be exhaustive, i.e., they must cover all the possible values of type \(T\). There exists algorithms that check statically this condition [Sch88]. To make a list of patterns exhaustive one can add a clause "any of \(T \rightarrow I_{n+1}\) " at the end of the list.
The evaluation of a "case" statement is made as follows. Let \(N_{0}\) be the value of the expression \(E_{0}\); \(N_{0}\) is matched sequentially over the clauses corresponding to patterns \(P_{1}, \ldots, P_{n}\) until it matches one. The value \(N_{0}\) matches a clause " \(P_{i}\) [ \(E_{i}\) ]" if \(N_{0}\) matches \(P_{i}\) and the evaluation of \(E_{i}\) in the context of variables bound by the matching returns true. The result of the case statement is the same as the result of the statement \(I_{i}\) (evaluated in the context of variables bound by \(P_{i}\) ) corresponding to the first clause \(i\) which matches \(N_{0}\).

\section*{Example 5.4.1}

The statement below returns the destination identifier of an expression \(E\) of type HeaderType:
```

case E of HeaderType is
var dest: int in
Header1 (dest, any, any) -> return dest
| Header2 (dest => dest, ...) -> return dest
end case

```

Note that the patterns cover all the values of type HeaderType. The wildcard "any" are used to match all values which are not interesting for the remainder of the statement.
Note that constant values may be filtered by giving their values, excepting the floating point values (of real type). Constants may also be filtered by using the "if" statement.

A more sophisticated form of the "case" statement provides factorization of clauses which have the same target statement \(I_{i}\). Consider for example, the statement which encodes the working days of a week by 1 and the week-end days by 0 using the above "case" statement:
```

case E: day_of_week is
Monday -> return 1
| Tuesday -> return 1
| Wednesday -> return 1
| Thursday -> return 1
| Friday -> return 1
| Saturday -> return 0
| Sunday -> return 0
end case

```

A simpler form with the same effect is:
```

case E is
Monday | Tuesday | Wednesday | Thursday | Friday -> return 1
| Saturday | Sunday -> return 0
end case

```

A value \(N_{0}\) matches a clause " \(P_{i}^{0}|\ldots| P_{i}^{m_{i}}\left[\left[E_{i}\right]\right]\) " iff one of the pattern \(P_{i}^{j}\) matches, and the guard \(E_{i}\) evaluated in the context of variables bound by \(P_{i}^{j}\) returns true.

\subsection*{5.4.7 If statement}

The "if" construct allows conditional computations; it is generally included in all languages. In Lotos NT it has the form:
if \(E_{0}\) then \(I_{0}\)
elsif \(E_{1}\) then \(I_{1}\)
elsif \(E_{n}\) then \(I_{n}\)
[else \(I_{n+1}\) ]
end if
where \(n \geq 0\), so the "elsif" clauses are optional. The default "else" clause is "exit null".
The expressions \(E_{0}, \ldots, E_{n}\) are called conditions. They must be of type bool, and do not have side effects. The statements \(I_{0}, \ldots, I_{n+1}\) should return a value of the same type and should initialize the same variables. This constraint is important for the control of the variable flow.

The evaluation of an "if" statement is done as follows. The conditions \(E_{0}, \ldots, E_{n}\) are evaluated in this order until a condition \(E_{i}\) evaluates to true; the evaluation of the "if" statement is the same as the evaluation of \(I_{i}\). If all conditions are false, the result of "if" is the result of \(I_{n+1}\), which by default is "null".
Example 5.4.2
The following statement computes the maximum of two integral numbers X and Y :
```

if X >= Y then return X else return Y end if

```

The "if" statement is less powerful than the "case" statement. Moreover, the "if" statement above may be translated into the following (equivalent) "case" statement:
```

case E}\mp@subsup{E}{0}{}\mathrm{ is
true -> I
| false ->
case }\mp@subsup{E}{1}{}\mathrm{ is
true -> I
| false -> ...
end case
end case

```

However, in this case it is recommended to use the "if" statement instead of the sophisticated "case" statement.

\subsection*{5.4.8 Iteration Statements}

Lotos NT allows to describe repetitive processing of data by mean of several iteration constructs. The most general and simplest one is the unbreakable loop, but several specialized iteration constructs are also provided, like breakable, conditional ("while"), and iterative ("for") loops.
Iterative constructs provide a way to express recursive processing of data without use of recursive functions. This avoids the stack overflow due to the infinite or great number of recursive function calls.

Loop forever statement The simplest iterative construct offered by Lotos NT is the "loop" forever statement:

\section*{loop \(I\) end loop}
where \(I\) is called the loop body.
The evaluation of a "loop" forever statement never terminates. The statement \(I\) is repeatedly evaluated. It can read and write variables of the current context. This type of iteration may introduce non-terminating processing of data. This may be signaled by the compiler. Note that if \(I\) raises a handled exception (§ 5.4.9, p. 52), the loop is interrupted.

Breakable loop statement In practice, it is difficult to imagine examples of data processing which never terminate. Statements are generally used to compute (instantaneously) values. For this reason a form of breakable loop is provided:
```

loop X in
I
end loop

```
where \(X\) is the loop identifier, i.e., the loop name. The statement \(I\) may read and write variables of the current context with respect to static semantics constraints.

A loop is broken using the "break" statement which has the following syntax:
break \(X\)
where \(X\) is the name of the loop to be broken. Note that "break" cannot interrupt other types of loops ("while" and "for").

\section*{Example 5.4.3}

The following statement computes the sum of elements of a given list of integers xs:
```

var ys: intlist := xs, total: int := 0
in
loop Sum in
case ys is
var z: int, zs: intlist in
nil -> break Sum
| cons (z, zs) -> total := total + z;
ys := zs
end case
end loop
end var

```

The named loops are used to break loops which are not the inner one, for example:
```

loop fred in
loop janet in
if V then break fred

```

As will be shown in Section 5.4.9, the breakable loop is a syntactic sugar for infinite loop construct and exception handling.

While statement The conditional execution of a loop may be expressed using the "while" construct which exists in most languages:
```

while E E do
I
end while

```
where \(E_{0}\) is an expression of type bool. \(I\) is the body of the loop, which may return a result (not used), read or write the variables of the current context.
At each iteration the expression \(E_{0}\) is evaluated; if it returns true, the statement \(I\) is evaluated; otherwise, the "while" statement terminates. This loop cannot be interrupted by "break" since no name is specified.

\section*{Example 5.4.4}

The statement below computes the factorial of \(n\) :
```

var k: int := n,
fact: int := 1
in
while (k > 0) do
fact := fact * k;
k := k - 1
end while;
return fact
end var

```

The property fact \(=n!/ k!\) is the invariant of the loop, and the termination is ensured by the fact that k decreases at each iteration. The result of the statement is \(\mathrm{fact}=\mathrm{n}!/ 0!=\mathrm{n}!\).

This form of loop may be translated into a breakable loop as follows:
```

loop X in
if }\mp@subsup{E}{0}{}\mathrm{ then I
else break X
end if
end loop

```

For statement The last iterative construct, the "for" statement, allows to describe in a compact form finite iterations. Its form is closed to the "for" construct of the C language:
```

for }\mp@subsup{I}{0}{}\mathrm{ while E}\mp@subsup{E}{1}{}\mathrm{ by }\mp@subsup{I}{2}{}\mathrm{ do
I
end for

```
where \(I_{0}\) is a statement doing only variable assignments; \(E_{1}\) is an expression of type bool; \(I_{2}\) is a statement doing only assignments; \(I\) is the body of the loop, repeatedly executed. It can assign variable but it cannot return a result.
The evaluation of a "for" statement begins with evaluating the initialization statement \(I_{0}\) in the current context of variables. Then, while the boolean expression \(E_{1}\) evaluates to true, the body of the loop, \(I\), is evaluated and when \(I\) terminates then \(I_{2}\) is evaluated. If \(E_{1}\) evaluates to false, the "for" statement terminates. This loop cannot be interrupted by "break" since no name is specified.
In fact, this form of loop is syntactic sugar of breakable loop; it can be translated as follows:
```

I
loop X in
if E}\mp@subsup{E}{1}{}\mathrm{ then I; I
else break X
end if
end loop

```

\subsection*{5.4.9 Exceptions and their handling}

An important feature of the language is the possibility to signal and treat the errors or unexpected cases by raising and trapping exceptions.

Raise statement Exceptions are used to interrupt the evaluation of expressions or statements. An exception may be raised using the "raise" statement, whose simplest form is:
raise \(X\)
\(X\) is an exception identifier which should be already declared. The declaration of an exception is made using the "trap" statement.
The evaluation of a "raise" signals the exception \(X\) and blocks the evaluation.

\section*{Example 5.4.5}

The following specification raises the exception Hd if one tries to take the head of an empty list:
```

case xs: intlist is
var x: int in
nil -> raise Hd
| cons (x, any) -> return x

```
end case

Exceptions may carry values. The syntax of a valuated exception raising is:
raise \(X E\)
This form of exception raising is useful to pass a value to the handler (§5.4.9, p. 53).

\section*{Example 5.4.6}

The presence of an unknown error code may be signaled by sending the value of the code:
```

if (error_code == 0) then
return "minor error"
elsif (error_code == 1) then
return "major error"
else
raise Unknown error_code
end if

```

Trap statement Exceptions either propagate to top level, or are trapped by a "trap" construct containing the exception handler. The simplest syntax of the "trap" construct is:
```

trap
exception }\mp@subsup{X}{1}{}[\mp@subsup{V}{1}{}:\mp@subsup{T}{1}{}]\mathrm{ is }\mp@subsup{I}{1}{
exception }\mp@subsup{X}{n}{}[\mp@subsup{V}{n}{}:\mp@subsup{T}{n}{}]\mathrm{ is }\mp@subsup{I}{n}{
in
I
end trap

```
where \(n \geq 0\). The clauses contained between keywords "trap" and "in" are called exception handlers. An exception handler declares the name of the exception \(X_{i}\), its type \(T_{i}\) (by default none), and its treatment \(I_{i}\).
The scope of exception identifiers \(X_{1}, \ldots, X_{n}\) is only the statement \(I_{0}\). So exceptions \(X_{1}, \ldots, X_{n}\) are handled only if raised by \(I_{0}\). If one of \(I_{1}, \ldots, I_{n}\) raises an exception \(X_{i}\), it is not handled by the current "trap" statement.
The statements \(I_{1}, \ldots, I_{n}\) may either return a value of the same type and initialize the same variables as the statement \(I_{0}\), or block. These constraints are checked statically. They ensure that the "trap" statement is well typed, and the flow of initialized variables is the same whatever the evolution of evaluating \(I_{0}\) is.
The evaluation of the "trap" statement begins with the evaluation of \(I_{0}\). If \(I_{0}\) raises one of the exceptions \(X_{i}\), its evaluation is interrupted, and the result of the "trap" statement is the result of \(I_{i}\). If \(I_{0}\) terminates normally, i.e., without raising any of the exceptions \(X_{i}\), the "trap" statement also terminates.

\section*{Example 5.4.7}

The following statement returns 0 when \(c\) equals 0 , or assigns the value of \(b / c\) to a otherwise.
trap
exception \(Z D\) is return 0
in
```

    a := (b/c) raises [ZD]
    end trap

```

\section*{Example 5.4.8}

The breakable loop below:
```

loop }X\mathrm{ in
I
end loop

```
is a syntactic sugar for an infinite loop broken by an exception raising:
```

trap
exception }X\mathrm{ is null
in
loop I end loop
end trap

```

The statement "break \(X\) " is syntactic sugar for "raise \(X\) ".
The "trap" statement both declares and traps the exception-this means it is impossible for an exception to escape outside its scope.
NOTE: This can be contrasted with a language such as SML where exception declaration and handling are separated, so it is possible for exceptions to escape their scope.
```

local
exception Foo
in
raise Foo
end

```

Note that the only way in which an exception can be observed by its environment is by trapping it.

Implementation issues If the code generated by Traian is used in external implementations, the C function TRAIAN_INIT () must be called before any action. This function initializes the structures used by Traian for the implementation of the exception mechanism.

\subsection*{5.5 Functions}

Functions are a mean for code structuring and re-usability.
This section describes how Lotos NT users may define and use functions. The Lotos NT predefined functions are described in Section (§ 4.3, p. 29).

\subsection*{5.5.1 Function definition}

A function definition has the following syntax:
```

function $F\left(\left[A_{1}\right] \bar{V}_{1}: T_{1}, \ldots,\left[A_{n}\right] \bar{V}_{n}: T_{n}\right)[: T]$
[ raises $\left[\bar{X}_{1}: T_{1}, \ldots, \bar{X}_{m}: T_{m}\right]$ ]
is $I$
end function

```
where \(A_{i}\) may be "in", "out", or "inout". The default value for \(A_{i}\) is "in".
NOTE: This form for function declaration was chosen for syntactic compatibility with IDL (and Ada) and for an easier interface with C.
\(F\) is the name of the function. Two function names may be the same if their profiles (i.e., the types of parameters or the result type) differ.
( \(\left[A_{i}\right] \bar{V}_{1}: T_{1}, \ldots\) ) is the list of formal value parameters. Value parameters may be constant values ("in" parameter), result values ("out" parameter), or modifiable values ("inout" parameters); the default type is "in". An "in" parameter may be read but its value is not changed by the function call, although its value may be changed by \(I\). An "out" parameter should be assigned by \(I\) and its value is visible after the function call. An "inout" parameter has an initial value, and \(I\) may modify them; the value of the parameter assigned by \(I\) is visible after the function call. The scope of variables in the lists \(\bar{V}_{1}, \ldots, \bar{V}_{n}\) is the body of the function, \(I\).
\(T\) is the result type of the function.
[ \(\left.\bar{X}_{1}: T_{1}, \ldots\right]\) is the list of formal exception parameters. The scope of the exceptions in the lists \(\bar{X}_{1}, \ldots, \bar{X}_{m}\) is the body of the function, \(I\).
The statement \(I\) computes the result value of the function and the output parameters. Its environment is the list of formal parameters (value and exception). In Lotos NT it is not possible to assign "global" variables or to raise "global" exceptions. All variables and exceptions used by the body of the function must be declared as function parameters. If \(T\) is given, the result type of \(I\) must be \(T\). The values assigned to output parameters must be correctly typed.

\section*{Example 5.5.1}

Consider the declaration of the function hd:
```

function hd (xs: intlist) : int raises [Hd: none]
is
case xs is var x: int in
nil -> raise Hd
| cons (x, any) -> return x
end case
endfun

```
where xs is an input parameter of type intlist. Note that the body of the function does not assign global variables, the variable x being local to the second clause of the "case" statement.

The declaration below uses the output parameters to return several results:
```

function partition (in xs: intlist, out less: intlist, in x: int, out gtr: intlist)
is
var ys: intlist := xs,
ls: intlist := nil,
gs: intlist := nil
in
loop P in
case ys is var z: int, zs: intlist in
nil -> break P
| cons (z, zs) ->
if (z < x) then
ls := cons (z, ls)
else
gs := cons (z, gs)

```
```

            end if;
            ys := zs
        end case
        end loop;
        less := ls;
        gtr := gs
    end var
    end function

```

\subsection*{5.5.2 Function call}

Function calls can be used in both expressions and statements. In expressions, functions that have two parameters can be used either in the prefix form or in the infix form.

The call of a function \(F\) in Lotos NT has two forms. The "positional" function call give the ordered list of the parameters:
\[
\text { eval }[V:=] F\left(\left[? V_{1}^{\prime} \mid E_{1}\right], \ldots,\left[? V_{n}^{\prime} \mid E_{n}\right]\right) \text { raises }\left[X_{1}^{\prime}, \ldots, X_{m}^{\prime}\right]
\]
where \(n\), resp. \(m\), must be equal to the number of formal value parameters, resp. to the number of formal exception parameters. ( \(\left[? V_{1}^{\prime} \mid E_{1}\right], \ldots\) ) is the list of actual value parameters. Expressions \(E_{i}\) should appear in the same position as the "in" parameters and must have the same type. Variables \(V_{i}\) should appear as actual parameters of the "inout" and "out" formal parameters, and must be already declared with the same type as the formal parameters. \(X_{1}^{\prime}, \ldots, X_{n}^{\prime}\) are actual exception parameters. The result of the function, if any, may be assigned to the variable \(V\).
The "named" call of the functions use the name of formal parameters to specify the correspondence between formal and actual parameters; the order of the actual parameters is not important. The three alternatives below are equivalent:
\[
\operatorname{eval}[V:=] F\left(V_{1}=>\left[? V_{1}^{\prime} \mid E_{1}\right], \ldots, V_{n}=>\left[? V_{n}^{\prime} \mid E_{n}\right]\right) \text { raises }\left[X_{1}^{\prime}, \ldots, X_{m}^{\prime}\right]
\]
where the list of actual value parameters is named,
\[
\text { eval }[V:=] F\left(\left[? V_{1}^{\prime} \mid E_{1}\right], \ldots,\left[? V_{n}^{\prime} \mid E_{n}\right]\right) \text { raises }\left[X_{1}=>X_{1}^{\prime}, \ldots, X_{m}=>X_{m}^{\prime}\right]
\]
where the list of actual exception parameters is named, and
\[
\text { eval }[V:=] F\left(V_{1} \Rightarrow>\left[? V_{1}^{\prime} \mid E_{1}\right], \ldots, V_{n} \Rightarrow>\left[? V_{n}^{\prime} \mid E_{n}\right]\right) \text { raises }\left[X_{1}=>X_{1}^{\prime}, \ldots, X_{m} \Rightarrow X_{m}^{\prime}\right]
\]
where both lists are named. The constraints above are also applied here.
Note that the "positional" style cannot be merged with the "named" style in the same list of actual parameters. This style of function call is similar to the Ada style.
The "..." shorthand for the record of actual parameters \(V S\) is expanded to the list of unspecified parameters as follows: if the parameter is an "in" one, the expression is the variable which has the same name as the formal parameter; if the parameter is an output ("inout" and "out"), the actual parameter is the query symbol followed by the name of the formal parameter. Similarly for the list of actual exception parameters.
The evaluation of a function call begins with the left-to-rigth evaluation of expressions corresponding to the input parameters. For the "inout" parameters, the input value is the value of the variable given as parameter. Then, the body of the function is evaluated in the context of actual values for input parameters and of actual exception parameters. The body should assign all the "out" parameters and should return a value if the function returns a value.

Note that Lotos NT supports call by value ("in" parameters) and (a restricted form of) call by reference ("inout" and "out" parameters). Functions as arguments of functions (second order functions) are not allowed.

\section*{Example 5.5.2}

The function partition may be used by a quick sort function as follows:
```

function quicksort (xs: intlist) : intlist
is
case xs is var y: int, ys: intlist in
nil -> nil
| cons (y, ys) ->
var l: intlist, g: intlist
in
eval partition (xs, ?l, y, ?g);
return append (quicksort (l), cons (y, quicksort (g)))
end var
end case
end function

```

Note that the variables 1 and \(g\) are locally declared to the second clause of the case because the first clause does not initialize them.

\section*{Chapter 6}

\section*{Behaviour Expressions and Processes}

In a language dedicated to the description of behaviours of (information processing) systems, the behaviour expressions are the most important concept. This chapter describes how Lotos NT supports the description of behaviours and the definition of processes. It introduces important notions as: concurrency, communication, non-determinism, signaling, exceptions and exception handling, real-time.

Although behaviour expressions use the expressions of the data part of the language, this chapter does not make any assumption about the form of these expressions. It supposes only that expressions of the data part may be evaluated into values, i.e., the terms of the domains of the types defined into the specification, or may assign variables. This assumption allows to interface the control part of Lotos NT with any language expressing data expressions. Chapter 5 presents the data language supported by Lotos NT. The behaviour language can be seen as an extension of the data language with concurrency, non-determinism, and real-time features.
Some constructs of the language use bracketed keywords: "par - end par", etc. The unbracketed constructs, like "[]" are left associative. To resolve remaining syntactic ambiguities, any behaviour can be bracketed using parenthesis "()". Lotos NT is fully orthogonal: operators can be freely mixed in an arbitrary way. One can compose parallel behaviours sequentially, or put sequences in parallel, one can subject any behaviour to a trapping, etc.

\subsection*{6.1 Basic Behaviours}

There are four basic pure behaviours:
```

block
stop
null
wait (E)

```

The "block" behaviour is an inactive behaviour, which cannot do any communication, never terminates, and stops time evolving. The "stop" behaviour pauses forever and never terminates nor does any communication. The "null" behaviour terminates instantaneously when started. The "wait" behaviour terminates after the elapsing of the time given by the evaluation of the expression \(E\). \(E\)
must be of type time.
Note that the "block" behaviour is the one of ET-Lotos, the "stop" behaviour already exists in Lotos but in its untimed version, and the "null" behaviour corresponds to the unvalued "exit" behaviour of Lotos.

\subsection*{6.2 Regular Behaviours}

As already mentioned, the control part and the data part of Lotos NT are symmetrical: behaviours are extensions of statements. The constructs which are similar in both languages are grouped in the generic class of regular behaviour expressions.
The regular behaviour expressions are: variable declaration ("var"), conditional behaviours ("case" and "if"), loop behaviours (infinite and breakable "loop", "while", and "for"), exception raising and handling ("raise" and "trap").
In order to avoid repetition, the regular behaviour expressions will be presented shortly. For more details, the reader must refer to the corresponding section of Chapter 5.

\subsection*{6.2.1 Variable declaration}

Variables may be declared (and possibly initialized) using the local variable declaration behaviour, which has the form:
```

var }\mp@subsup{V}{1}{}:\mp@subsup{T}{1}{}[:=\mp@subsup{E}{1}{}],···,\mp@subsup{V}{n}{}:\mp@subsup{T}{n}{}[:=\mp@subsup{E}{n}{}
in B
end var

```
where \(V_{1}, \ldots, V_{n}\) are variable identifiers, \(T_{1}, \ldots, T_{n}\) are type identifiers, and \(E_{1} \ldots, E_{n}\) are expressions. The scope of a variable declaration is the body \(B\).
See Section (§ 5.4.5, p. 47) for more details.

\subsection*{6.2.2 Conditional behaviour}

The most general conditional expressions offered by Lotos NT is the "case" expression, whose simplest form is:
```

case }\mp@subsup{E}{0}{}:T\mathrm{ is
var }\mp@subsup{V}{1}{}:\mp@subsup{T}{1}{},···,\mp@subsup{V}{n}{}:\mp@subsup{T}{n}{}\mathrm{ in
P
| ...
| P
end case

```
where \(n \geq 1, P_{1}, \ldots, P_{n}\) are patterns (see (§5.3, p. 44)), and \(E_{1}, \ldots, E_{n}\) are boolean guards (see (§ 5.4.6, p. 48)). The behaviours \(B_{1}, \ldots, B_{n}\) (which substitute statements \(I_{1}, \ldots, I_{n}\) in 5.4.6) must initialize the same set of variables if they terminate. The scope of variables bound by a pattern \(P_{i}\) are the boolean guards \(E_{i}\) and the behaviours \(B_{i}\).
The "case" behaviour has the same semantics and needs the same constraints as the corresponding "case" statement (§ 5.4.6, p. 48).

The "if" construct allows conditional computations; it is also called deterministic selection. It has the following form:
```

if E0 then B0
elsif E}\mp@subsup{E}{1}{}\mathrm{ then }\mp@subsup{B}{1}{
elsif En then Bn
[else B B+1]
end if

```
where \(n \geq 0\), i.e., the "elsif" clauses are optional. The "else" clause has the default value "exit null". Behaviours \(B_{0}, \ldots, B_{n+1}\) play the same role as expressions \(I_{0}, \ldots, I_{n+1}\) in (§ 5.4.7, p. 49). They must initialize the same variables if terminate. This constraint is important for the control of the variable flow.
The "if" behaviour has the same semantics and needs the same constraints as the corresponding "if" statement (§ 5.4.7, p. 49).

\subsection*{6.2.3 Iteration behaviour}

The iteration constructs provided by the behaviour language are similar to those of the data language ( \(\S 5.4 .8\), p. 50 ). The body of the loop is a behaviour and not a statement.
The loop forever behaviour has the form:

\section*{loop \(B\) end loop}
where \(B\) is called the loop body. \(B\) is repeatedly executed after its termination.
The breakable loop behaviour has the form:
```

loop X in
B
end loop

```

This loop is broken by the "break" behaviour:

\section*{break \(X\)}
which breaks the loop \(X\) and blocks.
The conditional execution of a loop may be expressed using the "while" construct:
```

while E0 do
B
end while

```
\(B\) is executed while the boolean condition \(E_{0}\) returns true.
The "for" iteration has the syntax:
```

for }\mp@subsup{I}{0}{}\mathrm{ while }\mp@subsup{E}{1}{}\mathrm{ by }\mp@subsup{I}{2}{}\mathrm{ do
B
end for

```
where \(B\) is executed repeatedly after the initializations \(I_{0}\), while \(E\) returns true. At the end of each iteration, the statement \(I_{2}\) is executed (it should contain only assignments).

\subsection*{6.2.4 Exception raising and handling}

In the control part, the exceptions are a special case of signals (see Section 6.6). The behaviour raising an exception:
```

raise X [E]

```
is equivalent to signaling \(X\) with the value given by evaluating \(E\), followed by a "block" behaviour ("signal \(X[E]\); block"). So, raising an exception blocks (time cannot pass) the current behaviour after the exception signaling.
An exception (or a signal) either propagates to top level, or is trapped by the "trap" behaviour containing the exception handler. The syntax of the "trap" behaviour is:
```

trap
exception }\mp@subsup{X}{1}{}:\mp@subsup{T}{1}{}\mathrm{ is }\mp@subsup{B}{1}{
...
exception }\mp@subsup{X}{n}{}:\mp@subsup{T}{n}{}\mathrm{ is }\mp@subsup{B}{n}{
in
B0
end trap

```
where \(n \geq 0\). The constraints given in Section 5.4.9 must be respected, where the statements \(I_{0}, I_{1}, \ldots, I_{n}\) are substituted with the behaviours \(B_{0}, \ldots, B_{n}\) respectively.

\subsection*{6.3 Assignment and Procedure Call}

The assignment behaviour extends the assignment statement defined in Section (§ 5.4.3, p. 47). Assignment behaviour may be deterministic or non-deterministic. They terminate instantaneously. The deterministic assignment behaviour has the form:
\[
V:=E
\]
where \(V\) is a variable ( \(\S 5.4 .5\), p. 47 ), and \(E\) is a data expression. The variable and the expression must have the same type. The value stored by the variable \(V\) is given by the expression \(E\).

\section*{Example 6.3.1}

The behaviour below declares the variable \(V\) of type time (whose domain is discrete) and waits 15 time units:
```

var V : time
in
for V:=0 while V <= 5 by V:=V+1 do
wait (V)
end for
end var

```

The non-deterministic assignment behaviours have the form:
\[
V:=\text { any } T[[E]]
\]
where \(V\) is a variable, \(T\) is a type (the same as the declared type for \(V\) ), and \(E\) is a data expression of type bool, also called boolean guard. The default value for the guard is "[true]". The nondeterministic assignment assigns to \(V\) a value of the domain of \(T\) which satisfies the guard \(E\). It
corresponds to the logical formula:
\[
\exists V: T . \quad E \Longrightarrow \ldots
\]

\section*{Example 6.3.2}

The behaviour below declares the variable \(V\) of type time (whose domain is discrete) and waits a while, but strictly less than five time units, i.e. no more than four.
```

var V : time
in
V := any T [V < 5];
wait (V)
end var

```

The behaviour function call has the same form as the function call statement (§5.5.2, p. 56). For example:
eval \(V:=F\left(\left[? V_{1}^{\prime} \mid E_{1}\right], \ldots,\left[? V_{n}^{\prime} \mid E_{n}\right]\right)\) raises \(\left[X_{1}^{\prime}, \ldots, X_{m}^{\prime}\right]\)
is a positional call of function \(F\). The same constraints as mentioned in 5.5.2 for the actual parameters are available. The function call is instantaneous.

\subsection*{6.4 Communication and Actions}

In Lotos NT, as in Lotos, the behaviours communicate by rendezvous on gates. If \(G\) is a gate, the behaviour:

G
is the simplest one which communicates on \(G\). It waits for the rendezvous on gate \(G\), and than terminates.
The time at which the communication takes place can be obtained using the annotation "@", as follows:
```

G@V [[E]]

```
where \(V\) is a variable of type time, and \(E\) is an expression of type bool. \(E\) is also called boolean guard. The variable \(V\) can appear in the boolean guard \(E\).
The behaviour waits for a communication on gate \(G\) till the guard \(E\) evaluates to true. At any moment, \(V\) gives the time elapsed from communication enabling. After communication, the behaviour terminates immediately. If the communication cannot take place, the behaviour has the same semantics as "stop".

\section*{Example 6.4.1}

The following behaviour waits for a rendezvous on gate \(G\) at most 3 time units:
G ©t [t < 3]
where \(t\) is a variable of type time.
The following behaviour may execute a rendezvous on \(G\) at 3 time units after its beginning:
G @t [t == 3]

This simple form of rendezvous does not allow to send or receive data, so it is a pure communication. The most general form of communication allows for data exchange over the gates with the following syntax:
\[
\begin{aligned}
& G[. C]\left(O_{1}, \ldots, O_{n}\right)[@ V][[E]] \\
& G[. C]\left(V_{1} \Rightarrow>O_{1}, \ldots, V_{n}=>O_{n}\right)[@ V][[E]]
\end{aligned}
\]
where \(n \geq 0\), and \(O\) is an offer. Offers have two forms:
\(O \quad::=\quad!E\) | ? P
\[
\begin{align*}
& \text { send value offer }  \tag{O1}\\
& \text { receive value offer } \tag{O2}
\end{align*}
\]

The offer "! \(E\) " corresponds to an emission over the gate \(G\) of the value of expression \(E\). The offer "? \(P\) " corresponds to the reception over the gate \(G\) of a value which is matched against \(P\). The variables of \(P\) must be already declared.
NOTE: It is possible to introduce the same syntactic sugar as in Lotos, i.e., "?V:T" meaning the declaration and the initialization of \(V\). This form is closer to patterns, but it goes against the "imperative" style of the language.
The gates in Lotos NT must be typed. So the offers are also typed, and their types must correspond to the type of the gate. NOTE: The use of types for typing gates does not allow the same syntactic means to express communication as channels (multiple profiles and in/out) or sub-typing (multiple profiles).
The communication is blocked by both sending and receiving values: the behaviour waiting for a rendezvous is suspended (time can pass) and terminates immediately after the rendezvous takes place. The rendezvous takes place if the values exchanged match and the boolean guard " \([E]\) " evaluates to true.

In Lotos NT, the rendezvous is symmetrical: there is no difference between the sender and the receiver. The rendezvous on a gate may allow several sending and offers at the same time. Moreover, the same gate may be used in several rendezvous either with a receive offer, or with a send offer.

\section*{Example 6.4.2}

The following behaviour accepts rendezvous on LINK_DATA_recv, with 0 as destination field, after 5 time units:
```

LINK_DATA_recv (dest_id => !0, source_id => ?src, data => ?d) @t [t > 5]

```

The variables src and d are respectively assigned the values of fields source_id and data. The gate LINK_DATA_recv has the type LinkPacketType defined below:
```

type LinkPacketType is
record dest_id: int, source_id: int, data: LinkDataType
end type

```

The header of a packet is communicated by the Link layer to a Physical layer over the gate Physical_Data which has the type HeaderType. The behaviour below accepts rendezvous on Physical_Data where the header contains a source field of value 3 :
```

Physical_Data.Header2 (source_id => !3, dest_id => any,
data_length => any, header_CRC => any)

```

Gates are declared using the "hide" operator (§ 6.10, p. 74), the "rename" operator (§ 6.11, p.76), by a process declaration (§6.7, p. 66), and by the local declarations of a specification (§ 7.5, p. 89).
There are two special gates in Lotos NT: "i" and " \(\delta\) ". " \(\mathbf{i}\) " is a keyword of the language, also called the internal gate. It specifies an internal action of the behaviour, and it terminates imme-
diately. It cannot have offers or guard. " \(\delta\) " is also called termination gate. It does not appear explicitly in the language, but it appears each time a behaviour terminates. For example, the "null" behaviour does only a rendezvous on the \(\delta\) gate. The termination gate plays an important role on synchronization (§ 6.9, p. 70).

\subsection*{6.5 Sequential Behaviours}

Like for statements 5.4.4, the sequencing of behaviours is done by ";" sequential composition operator:
\[
B_{1} ; B_{2}
\]
where \(B_{1}\) and \(B_{2}\) are behaviours.
The first behaviour \(B_{1}\) is instantaneously started when the sequence is started. If \(B_{1}\) terminates, \(B_{2}\) is immediately started and the sequence behaves as \(B_{2}\) from then on. If \(B_{1}\) stops, blocks, or raises an exception, \(B_{2}\) is never started.

\section*{Example 6.5.1}

The following behaviour waits for a rendezvous on gate MONEY (receives the money) and then a rendezvous on gate TEA (distributes a cup of tea), and terminates:
MONEY; TEA
A one place buffer of integers which communicates on gates input and output has the following behaviour:
```

var x: int
in
input (?x); output (!x)
end var

```

The gates input and output should have type int.
The Lotos NT operator ";" is associative and accepts "null" as neutral element.
Note that the sequential composition may be seen as a synchronization on " \(\delta\) ": as soon as the behaviour \(B_{1}\) does a rendezvous on \(\delta\) (i.e., terminates), the behaviour \(B_{2}\) is started. The termination of \(B_{1}\) and the beginning of \(B_{2}\) are atomic; \(\delta\) does not appear as an action of the sequential behaviour. This is similar to the action prefix operator ";" of Lotos, but differs from the Lotos sequencing operator ">>" which introduces an internal action.

\subsection*{6.6 Signaling}

Lotos NT introduces a new class of observable actions, called signals. Signals are an extension of exceptions used in the data part (§5.4.9, p. 52). They are used to broadcast an urgent information throughout the behaviour which is the scope of the signal. A signal may carry value information, so it is a typed object. The signals of Lotos NT are similar to the "signal" model of Timed CSP [Sch93].

Instantaneous signal emission is realized by the "signal" behaviour whose general form is:
```

signal X [E]

```
where \(X\) is a signal identifier. The expression \(E\) must have the same type as the declared type of \(X\). The expression \(E\) is not present if \(X\) is of type none.
The "signal" behaviour evaluates the data expression \(E\) to \(N\) (if exists), does action \(X N\), and
terminates instantaneously. Since the evaluation of \(E\) does not take any time, the "signal" behaviour has no time evolving.
Signaling is similar to raising exception ((§5.4.9, p. 52) and (§ 6.2.4, p. 62)) except that it allows computation to carry on after the raising of the signal: "raise \(X\) " is a shorthand for "signal \(X\); block.
Apart from exception raising, signals are also a mean to broadcast urgent information about a specific internal action occurrence (see Section 6.10 for more details).
Signals, like exceptions, may be declared by the "trap" behaviour (§ 6.2.4, p. 62), by the "rename" behaviour ( \(\S 6.11\), p. 76), by the process declaration (§6.7, p. 66), and by the local declarations of a specification (§ 7.5, p. 89).

\subsection*{6.7 Processes Definition and Instantiation}

Lotos NT (like Lotos) allows to name a behaviour using a process definition. A process is an object which denotes a behaviour; it can be parameterized by a list of formal gates, a list of formal variables, and a list of formal signals (exceptions). Note that processes, like functions, cannot be parameters of processes: Lotos NT is a first order language.

\subsection*{6.7.1 Process definition}

A process definition has the following syntax:
```

process $\Pi\left[\left[G_{1}: T_{1}, \ldots, G_{p}: T_{p}\right]\right]\left(\left[A_{1}\right] V_{1}: T_{1}, \ldots,\left[A_{n}\right] V_{n}: T_{n}\right)$
[raises $\left.\left[X_{1}: T_{1}, \ldots, X_{m}: T_{m}\right]\right]$
is $B$
end process

```

It declares the process \(\Pi\) (possibly parameterized by the formal gates \(G_{1}, \ldots, G_{p}\), the formal variables \(V_{1}, \ldots, V_{n}\), and the formal signals \(X_{1}, \ldots, X_{m}\) ) whose body is the behaviour \(B\). The default formal variables are "in".
NOTE: In Lotos, gates are not typed. One may see this like typing gates by a type "any" which is a super-type of all types. In Lotos NT, gates are strongly typed.
Process names cannot be overloaded. The name \(\Pi\) must be unique.
The formal variables must respect the same constraint as for functions (§ 5.5.2, p. 56).
The behaviour \(B\) may be any behaviour which initializes all the "out" parameters. It is executed in the context built from the formal parameters, the declared types, functions, and processes. In Lotos NT it is not possible to assign "global" variables or to raise "global" exceptions. All gates, variables, and exceptions used in the body of the function must be declared as parameters or declared as local in the body.

\section*{Example 6.7.1}

The process below declares a generic task uniquely identified by the id parameter, and which executes an activity taking \(d\) time units. Before beginning it does a rendezvous on the gate start. It indicates the end of its activity by doing a rendezvous on the gate end.
```

process Task [start, end: int] (id: int, d: time)
is
start !id; wait (d); end !id; stop
end process

```

\subsection*{6.7.2 Process instantiation}

The instantiation of a process is done by substituting the actual parameters to the formal ones. The simplest form is the "positional" (§5.5.2, p. 56) process instantiation which gives the ordered list of actual parameters:
\[
\Pi\left[\left[G_{1}^{\prime}, \ldots, G_{p}^{\prime}\right]\right]\left[\left(\left[? V_{1}^{\prime} \mid E_{1}\right], \ldots,\left[? V_{n}^{\prime} \mid E_{n}\right]\right)\right]\left[\operatorname{raises}\left[X_{1}^{\prime}, \ldots, X_{m}^{\prime}\right]\right]
\]
where \(p, n\), and \(m\) must be respectively equal to the number of formal gate parameters, the number of formal value parameters, and the number of formal exception parameters. The actual parameters must have the same type as the formal ones. Expressions \(E_{i}\) should appear at the same position as the "in" parameters and must have the same type. Variables \(V_{i}\) should appear as actual parameters of the inout and out formal parameter, and must be already declared with the same type as the formal parameter.

This behaviours denote the body of \(\Pi\) where the formal gate parameter \(G_{i}\) is renamed into \(G_{i}^{\prime}\), the formal "in" (or "inout") parameter \(V_{i}\) is substituted with the value of \(E_{i}\), and the formal signal parameter \(X_{i}\) is renamed into \(X_{i}^{\prime}\).
The evaluation of expressions in the list of actual parameters is done left-to-right.

\section*{Example 6.7.2}

The process above is recursively instantiated after five time units and a rendezvous at its formal gate:
```

process CP [Tk] is
wait (5); Tk; CP [Tk]
end process

```

The actual list of parameters may be specified in the "named" style, where the formal names of parameters appear. For example, the process instantiation using the "named" style for actual variable parameters has the form:
\[
\Pi\left[G_{1}^{\prime}, \ldots, G_{p}^{\prime}\right]\left(V_{1}=>\left[? V_{1}^{\prime} \mid E_{1}\right], \ldots, V_{n}=>\left[? V_{n}^{\prime} \mid E_{n}\right]\right) \text { raises }\left[X_{1}^{\prime}, \ldots, X_{m}^{\prime}\right]
\]

The application of Standard Lotos for realistic descriptions shows that the actual gate parameters are usually the same as the formal ones. Moreover, the gate parameter list is often very long (in some realistic example it has 20 elements). In this case, the process instantiation becomes very hard to write. Eliminating the actual gate parameters reduces sometimes the specification text of \(20 \%\).
To solve this problem, the keyword "..." may be used when the formal list of parameters uses the same names as the actual one.

\section*{Example 6.7.3}

Although the number of gate parameters is not big for the process below, the use of "..." makes the specification shorter and clearer.
```

process Scheduler [Tk1, Tk2, Tk3]
(d1, d2, d3: time)
is
Scheduler [...] (d1-5,d2,d3)
..
Scheduler [Tk1, Tk2, Tk3] (d1-5,d2,d3)

```
end process

The same convention may be used for the actual list of variables and signals.

\subsection*{6.8 Non-deterministic Behaviours}

Non-determinism is an important feature of a specification language. Lotos NT offers several operators to express non-determinism. One of them is the non-deterministic assignment presented in Section 6.3. It is similar to the internal choice of CSP [Hoa85].
The operators presented in this section are external choice operators.
The interaction of real-time capabilities, non-deterministic choice (external or internal), and urgent actions (termination, internal, and signals) raises some problems which are discussed in [Sig99].

\subsection*{6.8.1 Operator "[]"}

The unbracketed form of the choice operator has the form:
\[
B_{1} \quad[] \quad B_{2}
\]
where \(B_{1}\) and \(B_{2}\) are behaviours. Informally, the " \(B_{1}\) [] \(B_{2}\) " behaviour may execute either \(B_{1}\) or \(B_{2}\). In order to be able to control the variable initialization, \(B_{1}\) and \(B_{2}\) must initialize the same variables.
The start of the choice behaviour starts the evolution of both \(B_{1}\) and \(B_{2}\). They evolve in time with the same pace. If time is blocked on one side, it is also blocked for the whole process. The first action (i.e., rendezvous, internal action, termination, or signaling) executed by one of \(B_{1}, B_{2}\) (call it \(B_{i}\) ) solves the choice in favor of \(B_{i}\).

\section*{Example 6.8.1}

The following behaviour models a coffee machine which, after receiving the payment (rendezvous at gate MONEY) may distribute tea, coffee, or chocolate (rendezvous at TEA, COFFEE, or CHOCOLATE gates):
```

MONEY;
( TEA
[] COFFEE
[] CHOCOLATE
)

```

The non-deterministic choice means that the machine may accept any of these interactions. Its final behaviour is determined by the iteration with its environment (i.e., the machine selection button). The three of the choices are active till one of the buttons is selected.
A timeout may be expressed using the non-deterministic choice and urgent actions. For example, the behaviour below will execute the internal action \(\mathbf{i}\) if the interaction on gate MONEY waits more than 5 time units:

MONEY
[]
```

    wait (5); i
    ```

The rendezvous on gate MONEY is available from the beginning of behaviour execution. After 5 time units, the second behaviour of the choice cannot evolve in time and must execute the internal urgent
action i. So the choice is solved in favour of the second behaviour.
There are some cases where the choice is completely non-deterministic:
```

signal X

```
[]
signal Y
Both branches of the choice are urgent (cannot evolve in time). At the beginning of the behaviour, either the signal \(X\) or the signal \(Y\) is emitted. Since it is not possible to do a rendezvous on a signal (§6.9, p. 70), the behaviour is completely non-deterministic.
The operator "[]" is commutative, associative, and accepts "stop" as neutral element.
Note that the non-deterministic choice and the sequential composition are orthogonal operators. One may write:
\[
\left(B_{1}[] \quad B_{2}\right) ; B_{3}
\]
which is not possible using the Lotos action prefix operator ";".

\subsection*{6.8.2 Operator choice over values}

Lotos NT provides with the non-deterministic assignment a mean to choose a value of a domain. This choice is internal, i.e., it does not depend on the environment. A derived behaviour is provided by choice over values which allows to choose a value of a finite enumerable domain.

Let \(B_{0}\) be a behaviour which contains a use occurrence of variable \(V\) of the enumerable type \(T\). Let \(B_{N}\) be the behaviour " \(V:=N ; B_{0}\) " where \(N\) is a value of the domain of \(T\). In order to express the behaviour:
\[
B_{N_{1}} \quad[] \quad \ldots \quad[] \quad B_{N_{n}} \quad[] \ldots
\]
where \(N_{1}, \ldots, N_{n}, \ldots\) are all the values of the domain of \(T\), Lotos NT (like Lotos) allows the following shorthand notation:
choice \(V: T\) [] \(B_{0}\) end choice
The scope of \(V\) is the behaviour \(B_{0}\).
The general form of the "choice" operator allows several iteration variables:
\[
\text { choice } \vec{V}_{1}: T_{1}, \ldots, \vec{V}_{n}: T_{n} \quad[] \quad B_{0} \text { end choice }
\]
where each variable of the list " \(\vec{V}_{i}\) " is a variable of type \(T_{i}\).
The reception of a value (offer "?") may be expressed using the "choice" operator. For example:
\(G(? V)[E] ; B_{0}\)
where \(V\) is a variable of type \(T\), is equivalent to:
choice \(V: T\) [] \(G(!V)[E] ; B_{0}\) end choice
In the current semantics of Lotos NT, the choice over values is a syntactic sugar of non-deterministic assignment. For example, the following behaviour:
choice \(V_{1}: T_{1}, \ldots, V_{n}: T_{n}\) [] \(B\)
may be translated using the non-deterministic assignment as follows:
```

var V V :T
V}:= any T T ; .. ; V V := any T T ; B
end var

```

\subsection*{6.9 Concurrency}

The behaviours presented till now are sequential; Lotos NT (like Lotos) provides means to put behaviours in parallel and to synchronize them. This section presents the parallel composition operators.

\subsection*{6.9.1 Synchronization operator}

To express that two behaviours \(B_{1}\) and \(B_{2}\) evolve in parallel and synchronize on gates \(G_{1}, \ldots, G_{m}\), and termination \((\delta)\), the following syntax is used:
\[
B_{1}\left|\left[G_{1}, \ldots, G_{m}\right]\right| B_{2}
\]

Note that it is not possible to synchronize on the internal gate \(\mathbf{i}\).
The parallel behaviour forks its component behaviours, starting instantaneously all branches. When one branch offers a rendezvous at a gate \(G\) of the list \(G_{1}, \ldots, G_{m}\), it must wait for the other branches to offer a rendezvous at \(G\). If the rendezvous is possible, all the branches do an action synchronously on \(G\) carrying values exchanged by the rendezvous. The rendezvous at a gate different from \(G_{1}, \ldots, G_{m}\) is done independently from other branches, in a asynchronous manner. The whole behaviour evolves in time when all its branches may evolve in time. The time passes with the same pace in all branches. The behaviour terminates when all branches terminate, waiting for the last one if some branches terminate earlier. In fact, the " \(\delta\) " gate is always present-implicitly - in the synchronization list.
Variables can be shared among the parallel branches if they are read-only. If a branch writes a variable \(V\), then no other branch can read nor write \(V\).

Example 6.9.1
The coffee machine (example (§6.8.1, p. 68)) and a tea consumer doing her (his) choice after 5 time units may be put in parallel as follows:
```

MONEY;
( TEA
[] COFFEE
[] CHOCOLATE
)
| [MONEY, TEA, COFFEE, CHOCOLATE]|
MONEY; wait (5); TEA

```

Since there are no time constraints on the rendezvous at the gate TEA from the part of the machine, this rendezvous will take place after 5 time units or more.
Note that the sequencing operator ";" has a higher precedence than the parallel operator, as explained in Section 6.12.
Note that synchronization between parallel behaviours may be done only using gates. There is no mean to synchronize parallel behaviours on signals. This constraint is largely discussed in [Sig99].
When the gate carries values, the rendezvous on the gate takes place iff the offers are compatible. Consider the two rendezvous below on the gate \(G\) :
\[
\begin{aligned}
& G\left[. C^{1}\right]\left(V_{1}^{1}=>O_{1}^{1}, \ldots, V_{n^{1}}^{1}=>O_{n^{1}}^{1}\right)\left[@ V^{1}\right]\left[\left[E^{1}\right]\right] \\
& G\left[. C^{2}\right]\left(V_{1}^{2}=>O_{1}^{2}, \ldots, V_{n^{2}}^{2}=>O_{n^{2}}^{2}\right)\left[@ V^{2}\right]\left[\left[E^{2}\right]\right]
\end{aligned}
\]

They may synchronize if and only if the following four conditions are satisfied:
1. The tags \(C^{1}\) and \(C^{2}\) have the same name
2. The number of offers is the same \(n^{1}=n^{2}\)
3. There exists a permutation \(\rho\) of indexes such that \(V_{i}^{1}=V_{\rho(i)}^{2}\) and \(O_{i}^{1}\) and \(O_{\rho(i)}^{2}\) match. The matching relation between different form of offers is synthesized in Table 6.1. Note that matching occurs only when offers have the same type, which is verified statically.
\begin{tabular}{|c|c||c|c|c|}
\hline offer no 1 & offer no 2 & matching condition & effect & name \\
\hline \hline\(!E_{1}\) & \(!E_{2}\) & result \(\left(E_{1}\right)=\operatorname{result}\left(E_{2}\right)\) & null & value matching \\
\hline\(? V_{1}\) & \(!E_{2}\) & None & \(V_{1}:=E_{2}\) & value passing \\
\hline\(!E_{1}\) & \(? V_{2}\) & None & \(V_{2}:=E_{1}\) & value passing \\
\hline\(? V_{1}\) & \(? V_{2}\) & None & \(V_{1}:=\) any \(T ; V_{2}:=V_{1}\) & value generation \\
\hline
\end{tabular}

Table 6.1: The matching relation between offers
4. The guards \(E^{1}\) and \(E^{2}\) evaluate to true.

\section*{Example 6.9.2}

The behaviour below (see example (§ 6.4.2, p. 64)):
```

    Physical_Data.Header2 (source_id => ?src, dest_id => !3,
        data_length => ?l, header_CRC => ?crc)
    | [Physical_Data]|
Physical_Data.Header2 (dest_id => ?dest, source_id => !0
data_length => !4, header_CRC => !1)

```
is equivalent to the behaviour
```

Physical_Data.Header2 (dest_id => !3, source_id => !0
data_length => !4, header_CRC => !1);
dest := 3;
src := 0;
l := 4;
crc := 1

```

\subsection*{6.9.2 Full synchronization operator}

A particular case of the synchronization operator is obtained when the list of synchronization gates is the list of all gates defined in the current context. The binary form of the full synchronization operator is the following:
\[
B_{1} \| B_{2}
\]

For example, the synchronization operator "I [MONEY, TEA, COFFEE, CHOCOLATE]।" of the example above may be simply written "।|".

\subsection*{6.9.3 Interleaving operator}

Another special case of the synchronization operator is obtained when the synchronization is done only on termination gate " \(\delta\) ". The binary form of the interleaving is the following:
\[
B_{1}\| \| B_{2}
\]

\section*{Example 6.9.3}

Suppose the existence of three independent consumers who interact with the coffee machine (example (§ 6.8.1, p. 68)). Each consumer asks a different drink. The consumers are modeled by interleaved behaviours using the " \(\|\|\) " operator. The interaction between the coffee machine and the consumers is a full synchronization.
```

MONEY ;
( TEA
[] COFFEE
[] CHOCOLATE
)
|
(
MONEY; wait (5); TEA (* first consumer *)
||| MONEY; wait (3); COFFEE (* second consumer *)
||| MONEY; wait (1); CHOCOLATE (* third consumer *)

```

\subsection*{6.9.4 Generalized parallel operator}

The parallel composition operators play a crucial role in any non-trivial description of systems. In highly abstract (implementation-independent) descriptions, where the intended properties of the system are given as a set of mutually independent temporal constraints on the occurrences of certain events, parallelism is often used to express the logical conjunction of these properties. Such use of the parallel operator is known as the constraint-oriented specification style [VSS88]. In implementationoriented descriptions, where the actual resources to be used in the implementation are identified and modeled (the resource-oriented specification style [VSS88]), parallel composition is used to describe the interconnection pattern of the implementation components.
So, a systems' description may be seen as a set of \(n\) processes communicating via a set of gates. This representation is also called a process-gate net of arity \(n\) [Bol90].
The necessary and sufficient conditions for a process-gate net to be translated into a Lotos behaviour expression using its (binary) parallel composition operator are studied in [Bol90]. These results may be also applied to Lotos NT. As a conclusion, [Bol90] claims the need for a more complex parallel composition operator, which should fill the gap between graphical and textual representation of process-gate nets.
The limits of previous parallel operators are essentially related to the fact that an expression is a linear object, while graphical representations consider multiple dimensions. The under-estimation of these limits may lead to ambiguous or complex textual descriptions.
To fill this gap, Lotos NT provides a new and original operator, called the generalized parallel composition operator. It extends the network operator of CSP [Hoa85] in order to allow " \(m\) among \(n\) " synchronization. The syntax of this operator is:
```

par [with $G_{1}\left[\# m_{1}\right], \ldots, G_{p}\left[\# m_{p}\right]$ in]
$G_{1}^{1}, \ldots, G_{q_{1}}^{1} \rightarrow B_{1}$
| | ...
$\| G_{1}^{n}, \ldots, G_{q_{n}}^{n} \rightarrow B_{n}$
end par

```


Figure 6.1: "2 among 3" and "3 among 3" synchronization on gate G
where \(m_{1}, \ldots, m_{p}\) are natural numbers in the range \(1, \ldots, n\). We define \(\overline{G_{0}}\) to be the set \(\left\{G_{1}, \ldots, G_{p}\right\}\), \(\overline{G_{i}}\) to be the set \(\left\{G_{1}^{i}, \ldots, G_{q_{i}}^{i}\right\}\) for \(1 \leq i \leq n\) and we require that \(\overline{G_{0}} \cap \overline{G_{i}}=\varnothing\) for all \(1 \leq i \leq n\). Note that we do not require the gates \(G_{1}, \ldots, G_{p}\) to be paiwise distinct.
The operator describes a set of behaviours \(B_{1}, \ldots, B_{n}\) which are the processes of the net. Each behaviour \(B_{i}\) communicates with all others by the gates of the "interface" \(\bar{G}_{i}=G_{1}^{i}, \ldots, G_{q_{i}}^{i}\) and by the gates of \(\overline{G_{0}}\). The communication over a gate \(G_{j}^{i}\) of its interface should be synchronized with all other behaviours having the \(G_{j}^{i}\) in their interfaces. The communication over a gate \(G_{k} \in \overline{G_{0}}\) should be synchronized with a number of behaviours equal to one of the synchronization degree declared for \(G_{k}\). As for the classical parallel operator, the termination of behaviours is synchronous: all \(B_{i}\) 's synchronize on the termination gate (" \(\delta\) ").
Note that: (1) all gates should be already declared, and (2) \(B_{i}\) do not share variables (i.e., a variable written by a behaviour cannot be read or written by another parallel behaviour).
The timed dynamic semantics respects the principle of ordinary parallel composition: all the processes evolve in time simultaneously.

The "par" operator can express both process interconnection and the degree of the interconnection in a simple manner. In the following examples we show how one may translate graphical representations into a textual one using this operator.

\section*{Example 6.9.4}

In the process-gate net of Figure 6.1, behaviours \(B_{i}\) synchronize on gate \(G\) w.r.t. two patterns: "2 among 3 " pattern and " 3 among 3 " pattern. In this case, the textual representation specifies the gate \(G\) in the "interface" list of each behaviour and the degrees 2 and 3 for \(G\) :
```

par with $G \# 2, G \# 3$ in
$B_{1}\left\|B_{2}\right\| B_{3}$
end par

```

Notice that the structure of the graphical representation is maintained.

\section*{Example 6.9.5}

For the process-gate net of Figure 6.2, the textual representation specifies for each behaviour the gates through which it synchronizes. The degree of these gates is the default one, namely 3 .
```

par
G},\mp@subsup{G}{3}{}->\mp@subsup{B}{1}{}||\mp@subsup{G}{1}{},\mp@subsup{G}{4}{}->\mp@subsup{B}{2}{
|| }\mp@subsup{G}{1}{},\mp@subsup{G}{2}{},\mp@subsup{G}{3}{},\mp@subsup{G}{4}{->}\mp@subsup{B}{3}{
|| G}\mp@subsup{G}{2}{},\mp@subsup{G}{3}{}->\mp@subsup{B}{4}{}||\mp@subsup{G}{2}{},\mp@subsup{G}{4}{}->\mp@subsup{B}{5}{
end par

```


Figure 6.2: A two-dimensional process-gate net

\subsection*{6.9.5 Parallel over values operator}

Similarly to the operator choice over value, Lotos NT provides a mean to express parallel composition of behaviours iterating on a finite domain.
Let \(B_{0}\) be a behaviour which contains a use occurrence of variable \(V\) of type \(T\). Let "op" be one of the parallel composition operators "| [...]|", ||", or "\|||". Let \(B_{N}\) be the behaviour " \(V:=N ; B_{0}\) " where \(N\) is a value of the domain of \(T\). In order to express the behaviour:
\[
B_{N_{1}} \text { op } \ldots \text { op } B_{N_{n}}
\]
where values \(N_{1}, \ldots, N_{n}\) are \(n\) values of the domain of \(T, \operatorname{Lotos} \mathrm{NT}^{1}\) allows the following shorthand notation:
par \(V: T\) in \(E S\) op \(B_{0}\) end par
where \(E S\) is a list of expressions. The scope of \(V\) is the behaviour \(B_{0}\).

\section*{Example 6.9.6}

The behaviour below sends over the gate G all the working days of a week in any order:
```

par V:day_of_week in Monday, Tuesday, Wednesday, Thursday, Friday
||| G (!V); stop
end par

```

\subsection*{6.10 Hiding}

Lotos NT provides a mean to hide some gates of a given behaviour. The syntax of the operator is like in Lotos, except that the (declared) gates are typed:
hide \(G_{1}: T_{1}, \ldots, G_{n}: T_{n}\) in B
end hide

\footnotetext{
\({ }^{1}\) This operator is not a Lotos operator.
}

The hide operator declares the gates \(G_{1}, \ldots, G_{n}\) with their respective types in the behaviour \(B\). The resulting behaviour substitutes all actions on the gates \(G_{1}, \ldots, G_{n}\) by the internal action "i".

\section*{Example 6.10.1}

A two places buffer may be expressed using two one place buffers which synchronize on a gate mid. The actions on gate mid are internal to the buffer.
```

hide mid: int in
var x:int in
input (?x); mid (!x)
| [mid]|
mid (?x); output (!x)
end var
end hide

```

The substitution of the hidden gates by the internal urgent gate "i" allows to express that a synchronization should occur as soon as made possible by all the processes involved. For example the behaviour:
```

hide G in
wait(1); G; B1
|| wait(2); G; B
end hide

```
has the same semantics as:
```

wait(2); i;
hide G in
B1| | |
end hide

```

The hidden \(G\) occurs after 2 time units, which is as soon as both processes can perform \(G\).
The behaviour:
```

hide G in
G@?t[t > 3] ; B
end hide

```
has two possible semantics depending on whether the type time is discrete or dense. If time is a synonym for natural number (discrete time), the behaviour has the same semantics as:
```

wait(4) ; t:=4; i;
hide G in B end hide

```
because 4 is the smallest natural number strictly greater than 3 . On the other hand, if time is a synonym for rational number (dense time), the behaviour has the same semantics as:
```

wait (3) ; block

```

The reason why this process time stops after 3 time units without even performing the hidden \(G\) is because there is no smallest rational (or earliest time) strictly greater than 3 .

The urgency of hidden actions is inherited from ET-Lotos. It is largely discussed in [LL97]. Having to hide synchronizations to make them occur as soon as possible is sometimes criticized, because there are cases where one would still like to observe those gates. The problem here lies in the interpretation of the word "observation". Observing requires interaction, and interaction may lead to interference. Clearly, we would like to show the interaction to the environment without allowing it to interfere. There is a nice solution to this problem. It suffices to raise an exception (signal) immediately after
the occurrence of the hidden interaction.

\section*{Example 6.10.2}

Consider the two places buffer example (§ 6.10 .1, p. 75), and suppose that one wants to signal the passing of the value from one place to another, as soon as it takes place. For this, a special monitoring behaviour is added. It synchronizes on mid and then raises the Transfer signal:
```

hide mid: int in
var x:int in
input (?x); mid (!x)
| [mid] |
mid (?x); output (!x)
| [mid]|
mid (?x); signal Transfer (* the monitor *)
end var
end hide

```

Since the signaling is urgent, Transfer will be signalled the same time as the internal action resulted from synchronization on gate mid.

\subsection*{6.11 Renaming}

The "rename" operator has the following form:

\section*{rename} ren-clause \({ }_{1}\) ... ren-clause \({ }_{n}\) in B end rename
where \(n \geq 0\), and the renaming clauses are given by the following grammar:
\[
\begin{array}{rlrr}
\text { ren-clause }::= & \text { exception } X[P]: T \text { is } X^{\prime}[E] & \text { renaming exceptions } \\
& \mid \text { gate } G[P]: T \text { is } G^{\prime}[. C]\left(V_{1}=>O_{1}, \ldots, V_{p}=>O_{p}\right) & \text { renaming gates }
\end{array}
\]
where \(m, p \geq 0\). Note that the named form of rendezvous may be substituted with a positional one. Also, the terms on the right of the keyword "is" are similar to signaling and communication behaviours, except that for exceptions, the keyword "raise" is not specified. For this reason, these terms must satisfy the constraints of the corresponding behaviour expressions (see Sections 6.4 and 6.6 ): the signals \(X^{\prime}\) and the gates \(G^{\prime}\) must be defined in the current context, and their parameters (if exist) must be of compatible types.
The "rename" operator declares the signals \(X\) and the gates \(G\) in the behaviour \(B\). Their type is \(T\). The pattern \(P\) matches the values carried by \(X\) or \(G\); its variables are visible only in \(E\) or \(O_{1}, \ldots, O_{n}\). The gate \(G\) cannot be the internal gate \(\mathbf{i}\).
The "rename" behaviour is equivalent to the behaviour \(B\) where, at the execution (i.e., in the LTS), the signal \(X\) carrying a value matching the corresponding pattern \(P\) is substituted with the signal \(X^{\prime}\) carrying the result of \(E\), and where communication on gate \(G\) carrying values matching the pattern \(P\) is substituted with communication on gate \(G^{\prime}\) with the corresponding offers. This semantics for
renaming corresponds to a post-relabelling operator like in Timed CSP [Sch93].
Renaming an observable action into another observable action may be much more powerful than one might think at first, because it allows one to do more than just renaming gate names. For example, it can be used to change the structure of events occurring at a gate (adding or removing attributes), or to merge or split gates.

The simplest form of renaming just renames one gate to another:
```

rename gate G x: int is G' !x
in ...
end rename

```

This form of renaming is so common that a shorthand for it is provided:
```

rename gate G : int is G'
in ...
end rename

```

The renaming allows the removing of a field from a gate:
```

rename gate G (x: int, y: bool) : Record2 is G !x
in ...
end rename

```
where the type Record2 has the following definition:
```

type Record2 is record x: int, y: bool end type

```

Note that G has the type Record2 in the body of the "rename" behaviour, and it has the type int in the context of the "rename" behaviour.
A new field may be added to the gate:
```

rename gate G x: int is G (x => !x, y => !true)
in ...
end rename

```
where G is already declared with type Record2 in the context of the "rename" behaviour.
Two gates G1 and G2 can be merged into a single gate G:
```

rename gate G1 x: int is G (x => !x, y => !true)
gate G2 x: int is G (x => !x, y => !false)
in ...
end rename

```

A gate G may be split into gates G1 and G2:
```

rename gate G (x: int, true) : Record2 is G1 !x
gate G (x: int, false) : Record2 is G2 !x
in ...
end rename

```

Signals may be renamed in a similar way.

\subsection*{6.12 Unambiguous Behaviours}

The priority degree of binary operators of Lotos NT control part is given in table 6.2. The operators with a higher priority degree have lower priority (or give precedence). For example \(B_{1}\) [ ] \(B_{2}\); \(B_{3}\)
is parsed \(B_{1}\) [ ] \(\left(B_{1} ; B_{3}\right)\) because the sequential composition has a smaller priority degree than the choice operator.


Table 6.2: The precedence of Lotos NT behaviour operators.

This precedence can be forced by using parenthesized behaviours:
( \(B\) )
Parenthesis may be also used for esthetic considerations. Its semantics is the same as the semantics B.

All parallel binary operators are right associative.

\section*{Chapter 7}

\section*{Modules}

This chapter presents the structure of a Lotos NT specification and a number of related concepts: modularity, equational specification, genericity.
The modularity is an important concept for specifying "in the large". It is well known from practical specification that, especially when large specifications are developed, one wishes to encapsulate one or more types, operations, or processes so that they can be regarded as a single unit. It is also common experience that a major part of the specification effort lies in deciding what are these logical units of the specification. Finally, it is desirable that manipulation of such units can be expressed in the specification language itself, so that it becomes subject to automatic checking. In conclusion, the module system shall provide mean for structuring, abstraction, and re-usability.
One of the goals of Lotos NT is to develop a modularization system, which should allow export and import, hiding, and genericity. This goal is justified by the limited form of modularity offered by Lotos. The modules in Lotos encapsulate data types and operations, but not processes. Moreover, this mechanism does not support abstraction: every object declared in a module is exported outside. These deficiencies make Lotos difficult to use, and cause problems for users and tool implementors alike. A critical evaluation of Lotos data types from the user point of view can be found, for instance, in [Mun91].
NOTE: Since 1988, there have been several proposals for enhancing Lotos modules. An overview of those proposals is given in [Que96, Section 3].
Our proposal is based on the ActOne style of modules (called types), and extend it in two directions:
- The specification of processes is allowed inside the module units. This allows new processes to be generated as types (by renaming and instantiation).
- The genericity feature of ActOne is cleaned in order to offer a better control of the formal (generic) parameters of a specification.
- In order to avoid cumbersome renaming, a one-level dot notation is provided. The identifiers may be "long", that is one may specify explicitly the name of the definition module for a type, constructor, function, and process identifier.

The one-level depth of the dotted notation implies that importation is, like in ActOne but unlike SML or IDL, non generative (i.e., the imported objects do not become local objects of the module importing them. Introducing generative importation complicates the identifier analysis and the static semantics checking.

\subsection*{7.1 Generalities}

The module system concerns both parts of the language: the data part and the control part, so process declarations are allowed as well as type and function declarations. The Lotos NT module language allows to define a set of related objects - types, functions, and processes, and to control the visibility of these objects at each point of the description.
There are two important concepts: the module interface which declares the visible objects of a module and what is necessary to use them (e.g., function profiles), and the definition module in which the actual description of objects (visible or not visible) is given. The interface is an outside view of a module, and represents a "contract" between the author of the module and its users, while the module contains the inner mechanisms which should remain hidden to the module user.
Three features improve this clean separation between the module structure and the module description:
- The visible part of a module may be seen through several interfaces provided that these interfaces respect the declaration given by the module.
- Types and other objects in an interface may be declared as being opaque (or abstract), which means that their structure is not know by the user; only functions and processes provided in the corresponding implementation module may operate in an opaque type; functions and processes are always opaque.
- A module may be parameterized ("generic") by a collection of objects to adapt general behaviours to particular situations.

Each declaration of an object \(O\) inside an interface \(I\) declares the scope interface of \(O\) as being \(I\). Each definition of an object \(O\) inside a module \(M\) declares the scope module of \(O\) as being \(M\). The scope interfaces and modules are associated with each object identifier occurrence. This association is called extended object identifier. It allows the solving of names conflicts by using the "dotted" notation for identifiers: "scp.id" where scp is the scope (module or interface) of the identifier id. This notation has one level of depth because it is not allowed to nest modules or interfaces.
The structured set of objects of an interface (or module) is called the signature of the interface (or module). The set is structured into three classes: the class of types, the class of functions, and the class of processes. Each class binds the extended identifier of the object with the declaration (profile) of the object.
In an interface (or module) signature, the objects of the same class must have different extended identifiers (i.e., either different module definitions, or different names) except for functions, where overloading is allowed.

In conclusion, a specification in modular Lotos NT is a set of interface declarations (see Section 7.2), module declarations (see Section 7.3), generic modules declarations (see Section 7.4), and a unique entry point declaration called specification \({ }^{1}\) (see Section 7.5).

\footnotetext{
\({ }^{1}\) This will change in future versions of Lotos NT.
}

\subsection*{7.2 Interfaces}

\subsection*{7.2.1 Interface declaration}

An interface describes the external (visible) part of the objects - types, functions, and processes - described inside a module. The parameters of a generic module (§ 7.4, p. 86), and the objects imported from other modules, may enter in this collection.
The visible part of a type is its name and maybe its definition (implementation). If the definition is given (§ 4.1, p. 27), all the operations applicable to that type (pattern-matching, field selection, etc.) are available. Otherwise, the type is opaque. An opaque type declaration has the form:
```

type T

```

In this case, no operation is implicitly defined for this type, except (non-)equality functions (==, !=). The only functions defined on such an opaque type are those declared in the interface. Opaque types are very useful to implement abstract data types.
The visible part of a process is its complete header:
```

process \Pi[[[G1:T1, .., G}\mp@subsup{G}{p}{}:\mp@subsup{T}{p}{}]][([\mp@subsup{A}{1}{}]\mp@subsup{V}{1}{}:\mp@subsup{T}{1}{},···,[\mp@subsup{A}{n}{}]\mp@subsup{V}{n}{}:\mp@subsup{T}{n}{})
[raises [ }\mp@subsup{X}{1}{}:\mp@subsup{T}{1}{},···,\mp@subsup{X}{m}{}:\mp@subsup{T}{m}{}]

```
where \(A_{i}\) may be "in", "out", or "inout". The types of formal parameters must be either predefined, imported, or declared by the interface. The body of a process never appears inside an interface, i.e processes are always opaque. NOTE: A proposal to describe the process interface by giving equivalence relations or logic formulas is given in [GM96, Sig99].
The visible part of a function is its complete header:
\[
\begin{gathered}
\text { function } F\left(\left[A_{1}\right] V_{1}: T_{1}, \ldots,\left[A_{n}\right] V_{n}: T_{n}\right)[: T] \\
{\left[\text { raises }\left[X_{1}\left[: T_{1}\right], \ldots, X_{m}\left[: T_{m}\right]\right]\right]}
\end{gathered}
\]
where \(A_{i}\) may be "in", "out", or "inout". The same constraints for the types used in the profile must be satisfied. As for processes, the body of a function never appears inside an interface. However, it is possible to specify the axioms that the function satisfies, using equations (§ 7.2.3, p. 83).
An interface declaration has the general form:
```

interface int-id [import }I\mp@subsup{E}{1}{},···,IE,I] i
IB
end interface

```
where int-id is the interface identifier, \(I E, I E_{1}, \ldots, I E_{n}\) are interface expressions. \(I E_{1}, \ldots, I E_{n}\) are called imported interfaces, and \(I B\) is called the interface body. The importation cannot be circular, as explained in Section 7.6.

\subsection*{7.2.2 Interface expression}

An interface expression may be:
- An interface declaration: This interface expression can appear only in an interface body.

\section*{Example 7.2.1}

The interface of a Monoid module (i.e., a domain with an associative and commutative operation " + ", whose neutral elements is " 0 ") is:
```

interface Monoid is

```
```

    type Monoid
    function O: Monoid
    function + (x: Monoid, y: Monoid) : Monoid
    end interface

```
- An interface identifier int-id': In an importation clause, this means that the objects of int-id \({ }^{\prime}\) are imported in int-id, but their declaration interface is int-id'. In the interface body, this means that the objects of int-id have the same form as those of int-id', but their declaration interface is int-id.

\section*{Example 7.2.2}

A monomorphic list is a monoid with a single type of elements, denoted by E:
```

interface List import Monoid is
type E
function inj (x: E) : Monoid
end interface

```

The function inj is a bijection from the element type domain to the list domain.
- An interface renaming:
```

[int-id' renaming (ren-list)]

```
where ren-list are explicit renaming of int-id' objects. Renamings have the form:
\[
\begin{array}{rlr}
\text { ren-list }::= & {[\text { types ren }]} & \text { type } \\
& {[\text { opns ren }]} & \text { operations } \\
& {[\text { procs ren }]} & \text { processes } \\
\text { ren }::= & i d_{1}^{\prime}:=i d_{1}, \ldots, i d_{n}^{\prime}:=i d_{n} &
\end{array}
\]
where the unprimed identifiers are the new names (of int-id), and the primed identifiers are the old names (of int-id'). The renaming clauses declare an isomorphism from the int-id names to the int-id' names, which is the identity for the names of int-id \({ }^{\prime}\) which are not specified in the renaming list. This isomorphism is uniformly applied to all the profiles of objects of the interface.

\section*{Example 7.2.3}

The interface for a String monoid module may be obtained by renaming the Monoid interface:
```

interface String is
[ Monoid renaming (types Monoid := string
opns 0 := empty ) ]
end interface

```

This declaration is equivalent to the following one:
```

interface String is
type string
function empty : string
function + (x: string, y: string) : string
end interface

```

Note that for " + ", the renaming isomorphism is an identity, but its profile is changed according to the renaming of the Monoid type.
- An interface body, possibly renamed:
[IB [renaming (ren-list)]]

This form is useful to give directly the profile of the objects, without explicitly declaring an interface.

All objects visible by an interface, including the imported objects, are visible from outside and may be imported in other interfaces. The importation is transitive through interfaces. Also, an interface may be transitively imported several times. This is not a conflictual situation, the interface being imported one time (the "diamond" scheme).
It is not allowed to have multiple declarations for an identifier belonging to the same class of objects, except for functions if the overloading constraints are respected. For example, if the interface int-id declares a type \(T\), it cannot declare another type having the same name.

\subsection*{7.2.3 Equation declaration}

Interfaces may contain an axiomatic specification of functions. These descriptions are given using Actone equations for compatibility with Lotos data language. However, the equations are just like (type checked) comments. It is ensured that (like in Extended ML) the equations can be commented out without affecting the semantics of the module.
The equation declarations have the form:
```

eqns
forall }\mp@subsup{V}{1}{}:\mp@subsup{T}{1}{},···,\mp@subsup{V}{n}{}:\mp@subsup{T}{n}{
ofsort T
[E|
[E|p}=>>] \mp@subsup{E}{p}{}=\mp@subsup{E}{p}{\prime}
end eqns

```
where \(V_{1}, \ldots, V_{n}\) are variables used by the expressions \(E_{i}, E_{i}^{\prime}\), and \(T\) is the type of the expressions \(E_{i}, E_{i}^{\prime}\). The meaning of an equation " \(E_{i}^{\prime}=>E_{i}=E_{i}^{\prime \prime}\) " is that the terms \(E_{i}\) and \(E_{i}^{\prime}\) denote the same value in the domain of \(T\) if the premise \(E_{i}^{\prime}\) is true.

\section*{Example 7.2.4}

In the Monoid interface, the function "+" may be characterized by the following equations:
```

eqns
forall x, y, z: M
ofsort M
x + 0 = x ;

```
```

    0 + x = x ;
    (x + y) + z = x + (y + z) ;
    end eqns

```
which express that the operation " + " is associative and has 0 as neutral element.

\subsection*{7.3 Modules}

The Lotos NT modules contain the description (implementation) of a set of related types, functions, and processes. The visibility of these objects is controlled using interfaces.

\subsection*{7.3.1 Module declaration}

The declaration of a Lotos NT module has the form:
```

module mod-id [:IE] [import ME , .., ME 涪] is
MB
end module

```
where mod-id is the name of the module, \(I E\) is an interface expression ( \(\S 7.2\), p. 81) \(M E_{1}, \ldots, M E_{n}\) are module expressions (§7.3.2, p. 85), and MB is the module body.
The interface \(I E\) controls \({ }^{\dagger}\) the visibility of objects defined in the module mod-id: all the objects declared in \(I E\) are visible. Note that \(I E\) is self contained (§7.2, p. 81). By default, the interface of the module is the list of objects imported by the importing clause, and the list of objects declared by the module body.
The import clause makes the objects declared by the module expressions \(M E_{1}, \ldots, M E_{n}\) visible inside the module.
The body of a module defines the objects of the module - types, functions, and processes. Types may be defined as shown in Section (§ 4.1, p. 27). Functions are defined using function definitions (§ 5.5.1, p. 54), and processes are defined as indicated in Section (§ 6.7.1, p. 66). Another mean to define the module objects is using the module expression (§ 7.3.2, p. 85), i.e., renaming and generic module instantiation.
The module definitions must be self-contained: all the objects used must be either imported by the importation clause, or defined in the current module. The reference to an object which is not visible in the module is forbidden. Recursive definitions of types, processes, and functions are allowed.

\section*{Example 7.3.1}

The specification of a data-flow process is:
```

module DataFlow is
type Record2 is
record x: int, y: int
end type
process Flow [Input: Record2, Output: int] is
var x: int, y: int
in
loop
Input (?x, ?y);
Output ! (x+y)
end loop

```
end var
end process
end module
The default interface for the DataFlow is:
```

interface DataFlow is
type Record2
process Flow [Input: Record2, Output: int]
end interface

```

Note that the standard module of the predefined types is included by default, an explicit importation clause is not needed.

\section*{Example 7.3.2}

The following module defines the one point domain:
```

module OnePoint is
type M is zero end type
function 0: M is return zero end function
function infix + (x: M, Y: M) : M is
case x is
zero -> case y is zero -> return zero end case
end case
end function
end module

```

Note that modules are not nested.

\subsection*{7.3.2 Module expression}

A module expression may be:
- A module identifier mod-id': If it appears in the importation clause, it corresponds to the importation of all visible objects of the module. If it appears as the body of a module mod-id, the objects of mod-id are the same definitions as the objects of mod-id \({ }^{\prime}\), but their definition module is mod-id (instead of mod-id \({ }^{\prime}\) ).
- A module identifier mod-id' restricted by an interface int-id', noted "mod-id': int-id'". If it appears in the importation clause, it corresponds to the importation of the objects \(M^{\prime}\) declared in int-id . If it appears as the body of a module, the objects of mod-id are the objects declared in int-id \({ }^{\prime}\) with the definition given by mod-id \({ }^{\prime}\), but the definition module is mod-id.
- A renaming module expression:
\[
\text { mod-id }{ }^{\prime}\left[: I^{\prime}\right] \text { renaming (ren-list) }
\]
where the renaming clauses ren-list are described in (§7.2.2, p. 81). The renaming clauses declare an isomorphism from the mod-id names to the mod-id' names, which is identity for the names of mod-id' which are not specified in the renaming list.
- A generic module instantiation (§ 7.4.2, p. 87).

\section*{Example 7.3.3}

The Monoid module is constructed by renaming the OnePoint module as follows:
```

module Monoid is
OnePoint renaming (types M := Monoid)
end module

```

\subsection*{7.3.3 External modules}

External module declaration is provided for interfacing with other specification or implementation languages. An external module declaration has the form:
```

external module $M: I E$ is
file-id
end module

```

The interface of the module is compulsory because it gives the names and the profiles of the objects implemented by the module.

\subsection*{7.4 Generic Modules}

Genericity is a useful tool for building specifications and for code reuse. It is provided in Lotos NT by the generic modules.

\subsection*{7.4.1 Generic module declaration}

The declaration of a generic module has the form:

```

    [import \(\left.M E_{1}, \ldots, M E_{p}\right]\) is
        \(M B\)
    end generic

```
where gen-id is the name of the generic module, \(\bmod ^{2} i_{1}, \ldots, \bmod ^{2}-i d_{n}\) are module identifiers, \(I E, I E_{1}, \ldots, I E_{n}\) are interface expressions (§ \(7.2 .2, \mathrm{p} .81\) ), \(M E_{1}, \ldots, M E_{n}\) are module expressions (§ 7.3.2, p. 85), and \(M B\) is the module body (§ 7.3, p. 84).
The module identifiers \(\bmod ^{\operatorname{cid}} 1_{1}, \ldots,{\bmod -i d_{n}}\) are also called the parameters of the generic module. The visible objects of \(\bmod _{-} i d_{i}\) are those declared by the interface expression \(I E_{i}\). They may be used by the objects defined in the generic module body.

\section*{Example 7.4.1}

The interface below specify modules implementing monomorphic lists:
```

interface List import Monoid is
type E
function inj (x: E) : M
end interface

```

A generic module implementing monomorphic lists (example (§7.2.2, p. 82)) is parameterized by the type of elements of the list:
```

interface EqType is
type E
end interface
generic GenericList (Eq: EqType) : List is
type M is nil, cons (e: E, l: M) end type
function 0 : M is return nil end function
function infix + (x: M, y: M) : M is
case x is var z: E, zl:M in
nil -> return y
| cons (z, zl) -> return cons (z, zl + y)
end case
end function
function inj (x: E) : M is
return cons (x, nil ())
end function
end generic

```

\subsection*{7.4.2 Generic module instantiation}

A generic module instantiation replaces the formal parameters of the generic module with the actual parameters which give the implementation of the formal objects. Its simplest form is:
\[
\text { gen-id }\left(M E_{1}, \ldots, M E_{n}\right)
\]
where the module expressions \(M E_{1}, \ldots, M E_{n}\) define the objects declared by the interface expressions \(I E_{1}, \ldots, I E_{n}\) (i.e., the parameters of the generic module mod-id). So, the actual parameters shall match the interface specified for the formal parameter in all objects. For instance, the constructors shall be instantiated with constructors in order to flatten correctly the pattern-matching expressions.

\section*{Example 7.4.2}

The module below defines the type E as being a one point domain:
```

module Element : EqType is
OnePoint renaming (types M := E)
end module

```

The interface of the module is the EqType interface, so the module Element may be used to instantiate the GenericList module:
```

module OnePointList : List is
GenericList (Element)
end module

```

Note that the type M declared by the module OnePoint must be renamed in E before instantiation, in order to match the interface EqType. For this reason, the module Element is declared.
Declaring a module for each module instantiation may become cumbersome. For this, a simpler form form of generic module instantiation is provided:
\[
\text { gen-id }\left(r e n_{1}, \ldots, r e n_{p}\right)
\]
where \(r e n_{1}, \ldots, r e n_{p}\) are renaming of form "id \(=>i d^{\prime}\) " where \(i d\) is the identifier of the formal objects declared by the generic module parameters, and \(i d^{\prime}\) is the identifier of the actual parameter. The
actual objects must be visible inside the instantiation context.

\section*{Example 7.4.3}

Using this syntax, the previous example may be written:
```

module OnePointList : List import OnePoint is
GenericList (types E := OnePoint::M)
end module

```

Only the objects declared in the interface List are visible. Those imported from the module OnePoint are not visible. The type E has the same definition as the type M.

To obtain a list of integers, one has to declare:
```

GenericList (types E := int)

```
because the type int is visible in each point of the specification.
The generic module instantiation creates new objects. These objects have as definition module the module where the instantiation is done. For example, the module OnePointList has as (visible) objects the type E, the function 0 , and the functions "+" and "inj"; all these objects have as definition module OnePointList.

Generic modules may be partially instantiated or used to build other generic modules.
Example 7.4.4
For example, consider the following generic module implementing stacks of generic elements of type E:
generic GenericStacks (Eq: EqType) is
    type Stack is empty, push (e: E, s: Stack) end type
    function pop (s: Stack) : Stack raises EMPTY_STACK:none is
        case s is
            var s1: Stack in
            empty -> raise EMPTY_STACK
            | push (any, s1) -> return s1
            end case
    end function
    function top (s: Stack) : E raises EMPTY_STACK:none is
        case \(s\) is var \(x: E\) in
            empty -> raise EMPTY_STACK
            | push (x, any) -> return \(x\)
            end case
    end function
end generic

In order to obtain stacks of (generic) list, one shall declare:
```

generic StacksOfList (Eq: EqType) import GenericList (Eq) is
GenericStacks (types E := M)
end generic

```

In the resulting generic module, the formal (generic) element Eq is used to instantiate the GenericList module and then the GenericStack module is instantiated using the list type M instead of the formal element E.

\subsection*{7.5 Specification}

The entry point on a Lotos NT description is the specification declaration. It defines a list of imported modules, a list of gates, a list of signals (exceptions), and the body of the specification. The body of the specification may be either a behaviour or an expression.
```

specification $\Sigma\left[\operatorname{import} M E_{1}, \ldots, M E_{k}\right]$ is
[gates $G_{1}: T_{1}, \ldots, G_{p}: T_{p}$ ]
[exceptions $X_{1}: T_{1}, \ldots, X_{m}: T_{m}$ ]
(behaviour $B \mid$ value $I$ )
end specification

```

Note the similarity between specification definition and function or process definition. For this reason the gates and the exceptions declared in a specification are also called the parameters of the specification. This corresponds to the interface of the system modeled by the specification.

The object used by the behaviour \(B\) or by the expression \(E\) are the parameters of the specification and all other objects imported by the specification.
Note that the types used must be already declared.

\subsection*{7.6 Importation Rules}

If some interface (or module) \(A\) imports some objects from interface (or module) \(B\), then \(A\) is said to be dependent on \(B\). To prevent any problem with circular definitions \({ }^{2}\), it is required that this "dependency" relation does not contain cycle.

\footnotetext{
\({ }^{2}\) Such as an object \(X\) of \(A\) defined in terms of an object \(Y\) of \(B\) and vice versa.
}

\section*{Appendix A}

\section*{Syntax Summary}

This chapter presents the full concrete grammar (syntax) of the language. The notations used are those presented in Chapter 2. The lexical structure of the language is defined in Chapter 3.

\section*{A. 1 Syntax of the module part}

\section*{Equation declaration}
```

        eqn \(::=[E\{, E\} \Rightarrow] \quad E=E\)
    eqns \(::=[\) forall \(V L]\) eqn-list \(\{\) eqn-list \(\}\)
    ```
simple equation
eqn-list \(::=\) ofsort \(T\) eqn \(\{\); eqn\} list of equations
        equations
                                    (eqns1)
(eqns2)
    (eqns3)

\section*{Extended identifiers:}
\[
\begin{align*}
& \text { id }::=T|F| C \mid \Pi  \tag{eid1}\\
& \text { uid }::= \text { mod-id } \mid \text { int-id } \mid \text { gen-id }  \tag{eid2}\\
& \text { eid }::= \text { id }  \tag{eid3}\\
& \mid \text { uid }:: \text { id }
\end{align*}
\]
simple identifiers
unit identifier
simple extended identifier
extended identifier
(eid4)

\section*{Renaming list:}
\[
\begin{array}{rlr}
R::= & \text { eid }:=\text { eid }\{, \text { eid }:=\text { eid }\} & \text { renaming } \\
R L::= & {[\text { types } R]} & \text { type renaming } \\
& {[\text { opns } R]} & \text { operation renaming }  \tag{RL2}\\
& {[\text { procs } R]} & \text { process renaming }
\end{array}
\]

\section*{Interface body:}


\section*{Interface expressions:}
```

IE ::= int-id [renaming ( RL)]
[IB]

```

Module body:
\[
\begin{array}{rlr}
M B:= & D\{D\} & \text { declarations } \\
& \mid M E & \text { module expressions } \tag{MB2}
\end{array}
\]

\section*{Module expressions:}
\begin{tabular}{rlr}
\(M E:\) & mod-id & module identifier \\
& \(\mid\) gen-id \((M S)\) & instantiation \\
& gen-id \((R L)\) & instantiation with renaming \\
& \(M E: I E\) & constraint \\
& \(M E\) renaming \((R L)\) & renaming
\end{tabular}

\section*{Sequence of module expressions:}
```

MS ::=
empty
$\mid$ mod-id $\Rightarrow M E\{$, mod-id $\Rightarrow M E\} \quad$ disjoint union
| $M E\{, M E\}$ list

```

Unit declaration:
```

$U D::=$ interface int-id [import $I E\{, I E\}]$ is interface
IB
end interface

```
| module mod-id \([: I E][\) import \(M E\{, M E\}]\) is simple module MB
end module
| external module mod-id :IE [import \(M E\{, M E\}]\) is external module file
end external
| generic gen-id (mod-id:IE \{, mod-id:IE\}) [:IE] generic module
[import \(M E\{, M E\}]\) is
MB
end generic
| specification spec-id [import \(M E\{, M E\}]\) is specification

\section*{Description:}
\[
\text { descr }::=U D\{U D\} \quad \text { Lotos NT description (descr1) }
\]

Declarations:
```

D::= type T is type
TD
[with F {,F}]
end type
| function F[(VFL)][:T][raises [XL]] is function
I
end function
process \Pi[[GL]][(VFL)][raises [XL]] is process
B
end process

```

\section*{A. 2 Syntax of the data part}

\section*{Attributes of parameters:}
\(A \quad::=[\mathrm{in}]\)
| out
input formal parameter
output formal parameter
| inout input/output formal parameter

\section*{List of variable:}
\[
\begin{array}{rlr}
\bar{V}::=V\{, V\} & \text { list of variable identifiers } \\
V L:=\bar{V}: T\{, \bar{V}: T\} & \text { list of variables } \\
& \\
V F L & :=A \bar{V}: T\{, A \bar{V}: T\} & \text { formal parameter list } \tag{VFL1}
\end{array}
\]

\section*{List of exceptions:}
\[
\begin{array}{rrr}
\bar{X} & :=X\{, X\} & \text { list of exception identifiers } \\
X L & :=\bar{X}: T\{, \bar{X}: T\} & \text { list of exceptions } \tag{XL2}
\end{array}
\]

Type definition:
\begin{tabular}{rlr}
\(T D::=\) & \(C[(V L)]\{, C[(V L)]\}\) & constructed type \\
& enum \(C\{, C\}\) & enumeration \\
& record \(V L\) & set of \(T\) \\
& list of \(T\) & structure \\
& array \([T\{, T\}]\) of \(T\) & set \\
& \(\mid{ }^{\prime}\left\{V: T, E^{\prime}\right\}^{\prime}\) & list \\
& & array \\
& subtype
\end{tabular}

\section*{Sequence of expressions:}
\[
\begin{array}{rlr}
E S::= & {[\cdots]} & \text { empty or wildcard } \\
& V \Rightarrow E\{, V \Rightarrow E\}[, \ldots] & \text { disjoint union }  \tag{ES2}\\
& E\{, E\} & \text { list }
\end{array}
\]
(ES3)

\section*{Sequence of exceptions:}
\(X S::=[\ldots]\)
| \(X \Rightarrow X\{, X \Rightarrow X\}[, \ldots]\)
| \(X\{, X\}\)
empty or wildcard disjoint union
list

\section*{Expressions:}
\begin{tabular}{|c|c|c|}
\hline \(E \quad:=\) & K & primitive constant \\
\hline & V & variable \\
\hline & \(C\) [(ES)] & constructor application \\
\hline & E C E & infix constructor application \\
\hline & [ \(E\{, E\}\) ] & list or set construction \\
\hline & array \(T[E\{, E\}]\) & array construction \\
\hline & \(F[(E S)]\) & function call \\
\hline & E F E & infix function call \\
\hline & \(V\left[E_{1}, \ldots, E n\right]\) & array access \\
\hline & E.V & field selection \\
\hline | & E. \(\left\{^{\prime} E S^{\prime}\right\}^{\prime}\) & field update \\
\hline & \(E\) of \(T\) & type coercion \\
\hline & \(E\) raises [ \(\bar{X}]\) & raise exception expression \\
\hline & ( \(E\) ) & parenthesized expression \\
\hline
\end{tabular}

The precedence of operators appearing in expressions is given on table A.2.
\begin{tabular}{|c|l|}
\hline Priority & \multicolumn{1}{|c|}{ Operations } \\
\hline \hline 0. & raises \\
1. & - unary \\
2. & of, . field selection and update \\
3. & and, andthen, \(/, \%, *, * *\) \\
4. & or, orelse, xor,,+- \\
5. & \(==,!=,\langle,<=,>=,>\), iff, implies \\
\hline
\end{tabular}

All the binary arithmetic operators are left associative.

\section*{Sequences of patterns:}
\[
\begin{array}{rlr}
P S::= & {[\cdots]} & \text { empty or wildcard } \\
& V \Rightarrow P\{, V \Rightarrow P\}[, \ldots] & \text { disjoint union } \\
& P\{, P\} & \text { list } \tag{PS3}
\end{array}
\]

\section*{Patterns:}
\begin{tabular}{rlr}
\(P::=\) & \(V\) & variable \\
& \(\mid\) any & wildcard \\
& \(\mid\) & \(V\) as \(P\) \\
& \(K\) & aliasing \\
& \(\mid\) & \(C[(P S)]\) \\
& constant \\
& \(P C P\) & constructed pattern \\
& & {\([P\{, P\}]\)}
\end{tabular}
\[
\begin{equation*}
P \text { of } T \quad \text { explicit typing } \tag{P8}
\end{equation*}
\]

\section*{Match statements:}
| \(P\{\mid P\}[[E]] \rightarrow I \quad\) composed
| \(I M\) | \(I M\) list

\section*{Actual value parameters:}
\[
\begin{align*}
& V E::=\text { actual parameter"in" }  \tag{VE1}\\
& \text { | ?V actual parameter "out" and "inout" } \\
& V S::=[\ldots] \text { empty or wildcard } \\
& \mid V \Rightarrow V E\{, V \Rightarrow V E\}[, \ldots] \quad \text { disjoint union } \\
& \text { | } V E\{, V E\} \text { list } \tag{VS3}
\end{align*}
\]

\section*{Statements:}
```

$I::=$ return $E \quad$ value return
| null termination
| $V:=E$ assignment
| $I$; sequential
$\operatorname{var} \bar{V}: T[:=E]\{, \bar{V}: T[:=E]\}$ in variable declaration
I
end var
case $E[: T]$ is $[\operatorname{var} V L \mathrm{in}]$ case statement
IM
end case
| if $E$ then $I$ conditional statement
$\{$ elsif $E$ then $I$ \}
[ else $I$ ]
end if
eval $[V:=] F[(V S)][$ raises $[X S]]$ procedure call
loop $I$ end loop forever loop
loop $X$ in breakable loop
I
end loop
while $E$ do while loop

```
```

            I
    end while
    | for I while E by I do
        I
    end for
    break X
raise X [E]
trap {exception X[:T] is I} in
I
end trap

```

\section*{A. 3 Syntax of the behaviour part}

Gate lists:
\[
\begin{array}{rlr}
\bar{G} & ::=G\{, G\} & \text { list of gate identifiers } \\
G L & ::=\bar{G}: T\{, \bar{G}: T\} & \text { list of gate declarations } \tag{GL2}
\end{array}
\]

\section*{Sequences of gates:}
\[
\begin{array}{rlr}
G S::= & {[\ldots]} & \text { empty or wildcard } \\
& G \Rightarrow G\{, G \Rightarrow G\}[, \ldots] & \text { disjoint union } \\
& G\{, G\} & \text { list } \tag{GS3}
\end{array}
\]

\section*{Sequences of offers:}
\[
\begin{array}{rrr}
O S::= & \text { empty } \\
& \mid V \Rightarrow O\{, V \Rightarrow O\} & \text { disjoint union } \\
& \mid O\{, O\} & \text { list } \tag{OS3}
\end{array}
\]

Offers:
\begin{tabular}{rrr}
\(O:=\) & \(!E\) & send a value \\
& \(? P\) & receive a value \\
& \(\ddots \cdot C(O S)\) & constructed offer \\
& \((O S)\) & record
\end{tabular}
(O4)

\section*{Match behaviour:}
\[
\begin{array}{rlr}
B M::= & P[[E]] \rightarrow B & \text { simple } \\
& P\{\mid P\}[[E]] \rightarrow B & \text { composed }  \tag{BM2}\\
& B M \mid B M & \text { list }
\end{array}
\]
(BM3)

\section*{Behaviours:}
```

B ::= block
| wait (E)
| null
|top
| V:=E
| eval [V:=] F[(VS)][raises [XS]]
| G [O][@P][[E]]
i
B ; B
var}\overline{V}:T[:=E]{,\overline{V}:T[:=E]} i
B
end var
| П[[GS]][(VS)][raises [XS]] process instantiation
case E [:T] is [var VL in case
BM
end case
| if E then B conditional
{ elsif E then B }
[ else B]
end if
signal X[E] signaling
raise X [E] raising exception
break X breaking iteration
trap {exception X[V:T] is B} in exception trapping
B
end trap
loop I end loop loop forever
loop X in named loop
B
end loop
while E do while loop
B

```
end while
| for \(I\) while \(E\) by \(I\) do for loop
B
end for
| rename renaming
\(\{(\) gate \(G[P]: T\) is \(G[O]) \quad \mid(\) exception \(X[P]: T\) is \(X[E])\}\)
in \(B\)
end rename
| \(B\) [] \(B\) choice
| \(V:=\) any \(T[[E]]\) non deterministic assignment
| choice \(V L[] B\) end choice choice over values
| B op-par B parallel
| par \([\) with \(G[\# n]\{, G[\# n\}]\) in] general parallel
\(\bar{G}->B\{| | \bar{G}->B\}\)
end par
| par \(V: T\) in \(E\{, E\} \quad\) parallel over values
op-par B
end par
| hide \(G L\) in gate hiding
B
end hide
| (B) parenthesized behaviour
\begin{tabular}{rlrr} 
op-par \(::=\) & \(||\mid\) & interleaving & (op-par1) \\
& \(||\mid\) & fully synchronization & (op-par2) \\
& \(||[\bar{G}]|\) & synchronization & (op-par3)
\end{tabular}

The level of priority for the (base) operators is given by the Table A.1.
\begin{tabular}{|c|c|}
\hline Priority & Operators \\
\hline 0. & basic behaviours, actions, assignments, signaling, bracketed operators \\
\hline 1. & \\
\hline 2. & ||, |[... ]|, ||| \\
\hline 3. & [] \\
\hline
\end{tabular}

Table A.1: The precedence of Lotos NT behaviour operators.
All parallel operators are right associative.

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[^0]:    ${ }^{1}$ Commitment, Concurrency, and Recovery
    ${ }^{2}$ Distributed Transaction Processing
    ${ }^{3}$ Message Authentication Algorithm
    ${ }^{4}$ File Transfer, Access, and Management
    ${ }^{5}$ Open Distributed Processing
    ${ }^{6}$ Common Object Representation Brooker Architecture

[^1]:    ${ }^{1}$ This section is an adaptation of The ISO/IEC DIS 14750, Section 4 (IDL Syntax and Semantics); it differs in the list of legal keywords and punctuation.
    ${ }^{2}$ ASCII (ANSI X3.4) is the American Standard Code for Information Interchange.

[^2]:    ${ }^{1}$ For Lotos, these schemes are also known as "rich term syntax" [Pec94].

[^3]:    ${ }^{2}$ For example, TraiAn provides such an implementation in the file incl/lotosnt_predefined.h.

[^4]:    ${ }^{3} \mathrm{An}$ ordered set is dense if it is possible to find a value between any two different given values.

